CSE 312, 2017 Winter, W.L.Ruzzo

# Final Review

skimmed/

skipped; NOT on

final

Coverage–comprehensive, with some emphasis post-midterm pre-mid: ~B&T ch I-2

- post-mid: ~B&T ch 3,5,9, continuous, limits, mle, em, hypothesis testing.
- all slides, hw, sols, non-supl reading on "Schedule & Reading" web page

Mechanics

- closed book, aside from one page of notes (8.5 x 11, both sides, handwritten)
- I'm more interested in setup and method than in numerical answers, so concentrate on giving a clear approach, perhaps including a terse English outline of your reasoning.
- Corollary: calculators are probably irrelevant, but bring one to the exam if you want, just in case.
- Format-similar to midterm:
  - T/F, multiple choice, problem-solving, explain, ...
  - Story problems
  - General groaning, tooth-gnashing and head-banging



see midterm review slides

especially 3.1–3.3; light coverage: 3.4–3.6

## probability density function (pdf)

cdf as integral of pdf from  $-\infty$ ; pdf as derivative thereof expectation and variance

why does variance matter? a simple example: a random X arrives at a server, and chews up f(X) seconds of CPU time. If f(x) is a quadratic or cubic or exponential function, then randomly sampled X's in the right tail of the distribution can greatly inflate average CPU demand even if rare, so variance (and, more generally, the shape of the distribution) matters a lot, even for a fixed mean. Recall, in general,  $E[f(X)] \neq f(E[X])!$ 

important examples know pdf and/or cdf, mean, variance of these uniform, normal (incl  $\Phi$ , "standardization"), exponential

### tail bounds

Markov

Chebyshev

Chernoff (lightly)

## limit theorems

weak/strong laws of large numbers

central limit theorem

## moment generating functions

lightly - see ~2-3 slides in "limits" section; skim B&T 4.4 for more

## likelihood, parameter estimation, MLE (b&t 9.1)

## likelihood

"likelihood" of observed data given a model

usually just a product of probabilities (or densities: " $\lim_{\delta \to 0...}$ "), by independence assumption

a function of (unknown?) parameters of the model

## parameter estimation

if you know/assume the *form* of the model (e.g. normal, poisson,...), can you estimate the *parameters* based on observed data many ways, e.g.:

## maximum likelihood estimators

one way to do it-choose values of the parameters that maximize likelihood of observed data

usual method – solve " $\partial/\partial$  param of (log) likelihood = 0" (and check for max not min, boundaries...)

confidence intervals

## ΕM

iterative algorithm trying to find MLE in situations that are analytically intractable

usual framework: there are 0/1 *hidden variables* (e.g., from which component was this datum sampled) & problem would be much easier if they were known

E-step: given rough parameter estimates, find expected values of hidden variables

M-step: given rough expected values of hidden variables, find (updated) parameter estimates to maximize (expected) likelihood

Algorithm: iterate above alternately until convergence

Noise, uncertainty & variability are pervasive

Learning to model it, derive knowledge, and compute *despite it* are critical

E.g., knowing the mean is valuable, but two scenarios with the same mean and different variances can behave very differently in practice.

- Stat 390/1 probability & statistics
- CSE 427/8 computational biology
- CSE 440/1 human/computer interaction
- CSE 446 machine learning
- CSE 472 computational linguistics
- CSE 473 artificial intelligence

and others!

Please fill out the online course eval form:

## https://uw.iasystem.org/survey/172369

Tell us what was useful, what was hard, what was fun, what we should do more/less of. Tell us about the text book. Tell us the instructor was tall, handsome, witty, charming. Tell us it was the best course you have ever taken, beyond your wildest imaginings. (Or not.)

BY SUNDAY–last chance!

(Thanks!)

## Thanks and Good Luck!



what to expect on the final in more detail