## Law of Implication

Implications are hard.

AND/OR/NOT make more intuitive sense to me... can we rewrite implications using just ANDs ORs and NOTs?

p	q	$p \rightarrow q$
Т	Т	Т
Т	F	F
F	Т	Т
F	F	Т

One approach: think "when is this implication false?" then negate it (you might want one of DeMorgan's Laws!





## Our First Proof

 $(a \land b) \lor (\neg a \land b) \lor (\neg a \land \neg b) \equiv$ 

None of the rules look like this

Practice of Proof-Writing: **Big Picture**...WHY do we think this might be true?

The last two "pieces" came from the vacuous proof lines...maybe the " $\neg a$ "  $\equiv$  ( $\neg a \lor b$ ) came from there? Maybe that simplifies down to  $\neg a$