CSE 311: Foundations of Computing I

QuickCheck: FOL and Inference (due Thursday, April 13)

Name:	

0. Oddly Even

Let $\operatorname{Even}(x)$ be $\exists y \ (x=2y)$, and let $\operatorname{Odd}(x)$ be $\exists y \ (x=2y+1)$. Let the domain of discourse be the set of all integers.

(a) Translate the following statement into English.

$$\forall x \ \forall y \ ((\mathsf{Odd}(x) \land \mathsf{Odd}(y)) \to \mathsf{Even}(x+y))$$

(b) Prove the statement from part (a) using an English proof.

1. One Question!

Please come up with one question related to the course that hasn't been answered yet. It could be about policy, content, instructors, TAs, etc.