## Sets

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## Sets

- Mathematical set: a collection of values, without duplicates or order
- Order does not matter

$$
\{1,2,3\}==\{3,2,1\}
$$

- No duplicates
$\{3,1,4,1,5\}==\{5,4,3,1\}$
- For every data structure, ask:
- How to create

- How to query (look up) and perform other operations
- (Can result in a new set, or in some other datatype)
- How to modify

Answer: http://docs.python.org/2/library/stdtypes.html\#set

## Two ways to create a set

1. Direct mathematical syntax:
odd $=\{1,3,5$ \}
prime $=\{2,3,5$ \}
Note: Cannot use " \{\}" to express empty set: it means something else $:$.
2. Construct from a list: (also from a tuple or string) odd $=\operatorname{set}([1,3,5])$
prime $=\operatorname{set}([2,3,5])$
empty $=\operatorname{set}([]$ ) \# or set( )
Python always prints using this syntax above

## Set operations

odd $=\{1,3,5\}$
prime $=\{2,3,5\}$

- membership $\in$
- union $\cup$
- intersection $\cap$
- difference \or -

Python: in
Python: \|
Python: \&
Python: -

4 in prime $\Rightarrow$ False odd | prime $\Rightarrow\{1,2,3,5\}$
odd \& prime $\Rightarrow\{3,5\}$
odd - prime $\Rightarrow\{1\}$

Think in terms of set operations, not in terms of iteration and element operations

- Shorter, clearer, less error-prone, faster

Although we can do iteration over sets:
\# iterates over items in arbitrary order for item in myset:

But we cannot index into a set to access a specific element.

## Modifying a set

- Add one element to a set:

```
myset.add (newelt)
myset = myset | { newelt }
```

- Remove one element from a set: myset. remove (elt) \# elt must be in myset or raises err myset.discard(elt) \# never errs
myset = myset - \{ elt \}
What would this do?
myset $=$ myset - elt
- Remove and return an arbitrary element from a set: myset.pop()

Note: add, remove and discard all return None

## Practice with sets

$$
\begin{aligned}
& z=\{5,6,7,8\} \\
& y=\{1,2,3, \text { foo" }, 1,5\} \\
& k=z \& y \\
& j=z \mid y \\
& m=y-z \\
& n=z-y \\
& p=z \\
& q=\operatorname{set}(z) \\
& z . \operatorname{add}(9)
\end{aligned}
$$

## List vs. set operations (1)

Find the common elements in both list1 and list2:
out1 = []
for i in list2:
if i in list1:
out1 .append(i)
\# Aside: We will learn about list comprehensions later
out1 = [i for i in list2 if i in list1]
Find the common elements in both set1 and set2:
set1 \& set2

Much shorter, clearer, easier to write with sets!

## List vs. set operations(2)

Find elements in either list1 or list2 (or both) (without duplicates):
out2 $=$ list(list1)
for i in list2:
if i not in list1: \# don't append elements already in out2 out2.append(i)

Another way:
out2 = list1+list2
for i in out1: \# out1 = common elements in both lists
out2.remove(i) \# Remove common elements

Find the elements in either set1 or set2 (or both):
set1 | set2

## List vs. set operations(3)

Find the elements in either list but not in both:
out3 = []
for i in list1+list2:
if i not in list1 or i not in list2:
out3.append(i)

Find the elements in either set but not in both:
set1 ^ set2

## Not every value may be placed in a set

- Set elements must be immutable values
- int, float, bool, string, tuple
- not: list, set, dictionary
- The set itself is mutable (e.g. we can add and remove elements)
- Goal: only set operations change the set
- after "myset.add ( $\mathbf{x}$ )", $x$ in myset $\Rightarrow$ True
- y in myset always evaluates to the same value Both conditions should hold until myset is changed
- Mutable elements can violate these goals
- Aside: frozenset must contain immutable values and is itself immutable (cannot add and remove elements)

