

Announcements

- After Image Survey – it's part of our commitment to the AP experiment ... your help is REALLY appreciated

Writing Programs

- Naturally, programs are given sequentially, the declarations at the top
- Braces { } are statement groupers ... they make a sequence of statements into one thing, like the “true clause of an If-statement”
- All statements must end with a semicolon EXCEPT the grouping braces ... they don't end with a semicolon (OK, it's a rare inconsistency about computer languages!)
- Generally white space doesn't matter; be neat!

Program Execution

- Keep in mind how a program executes

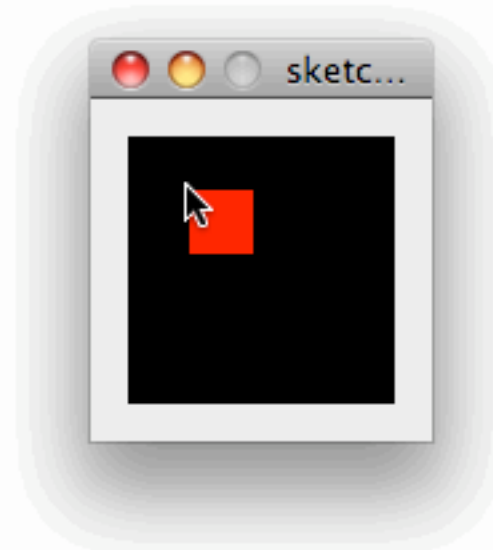
```
int next=1;

void setup( ) {
  size(100,100);
  fill(255, 0,0);
}

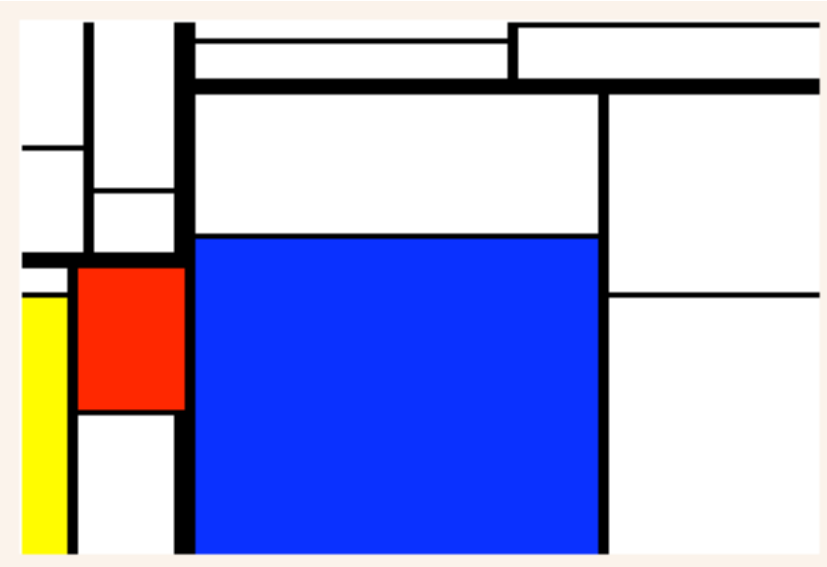
void draw( ){
  background(0);
  rect(mouseX, mouseY, 25, 25)

}

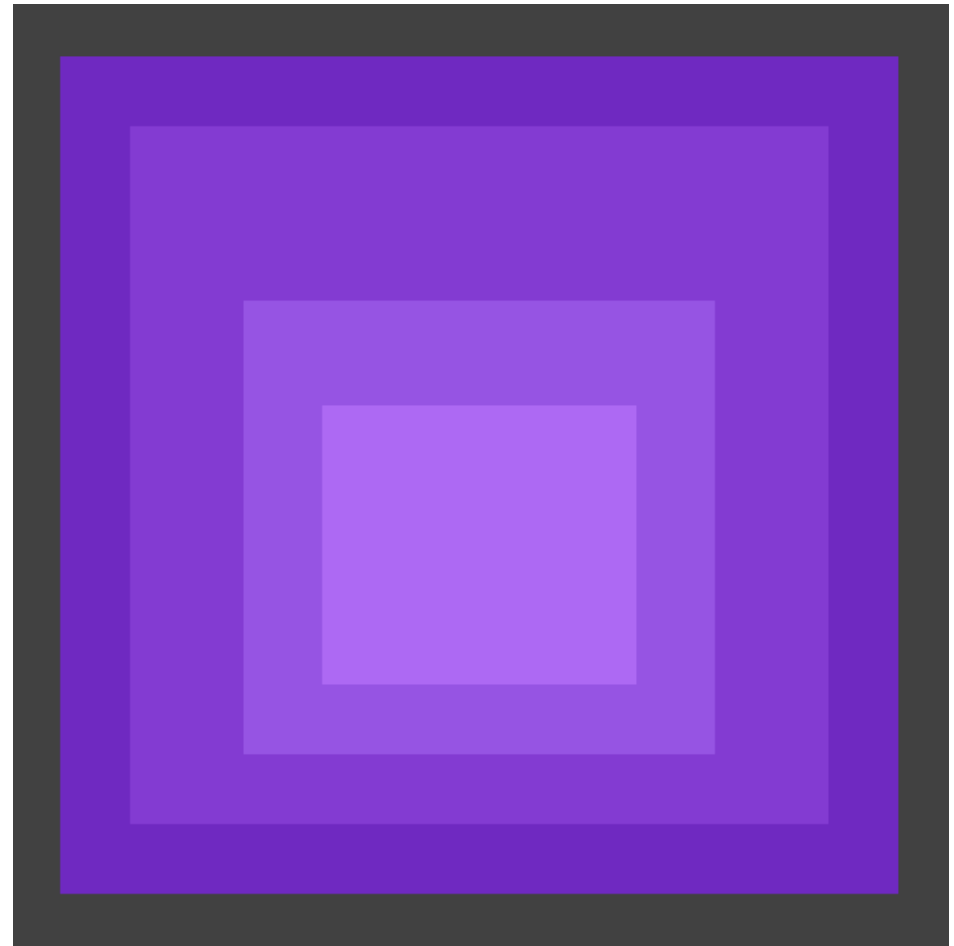
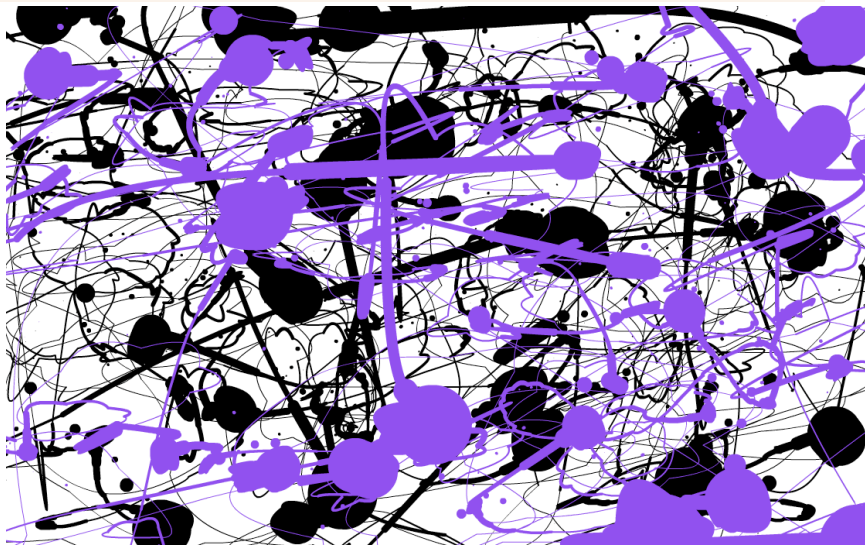
void mousePressed( ){
  if (next == 1) {
    fill(0, 0, 255); // go to blue
  } else {
    fill(255,0,0); // go to red
  }
  next=1-next;
}
```



Art Programs Raise Deep Questions



Mondrian, Pollack, Albers are stars ...



Adding some light to computing

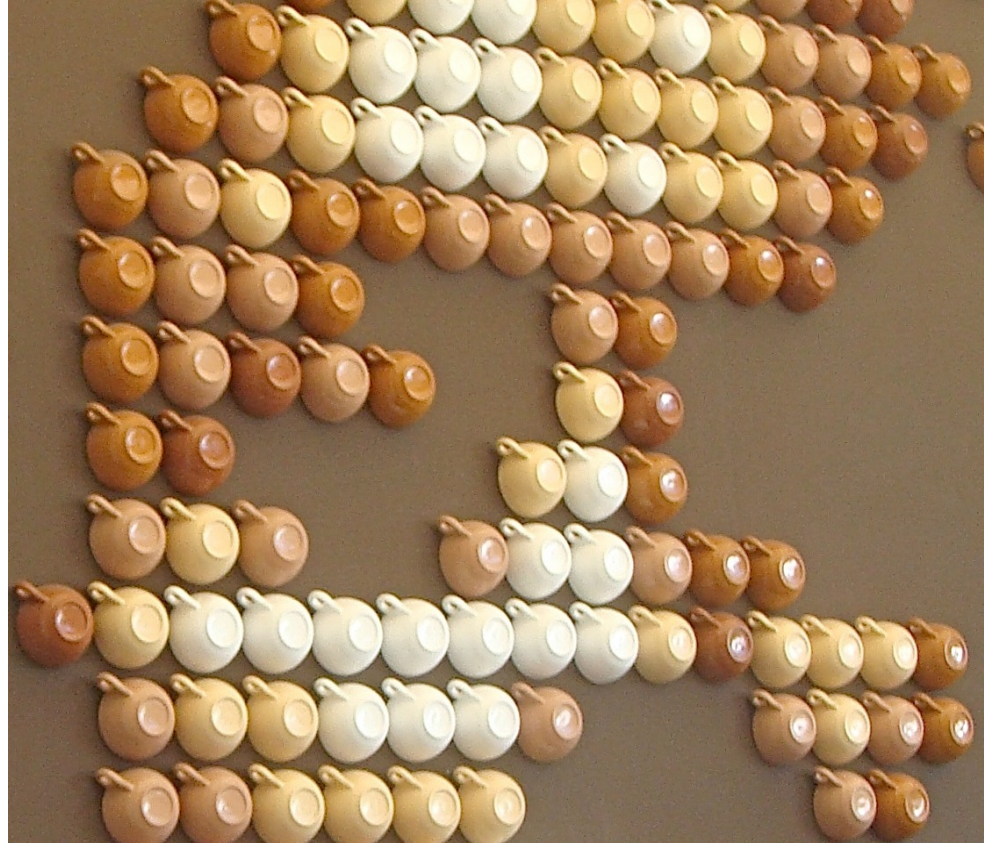
Bits of Color

Lawrence Snyder
University of Washington, Seattle

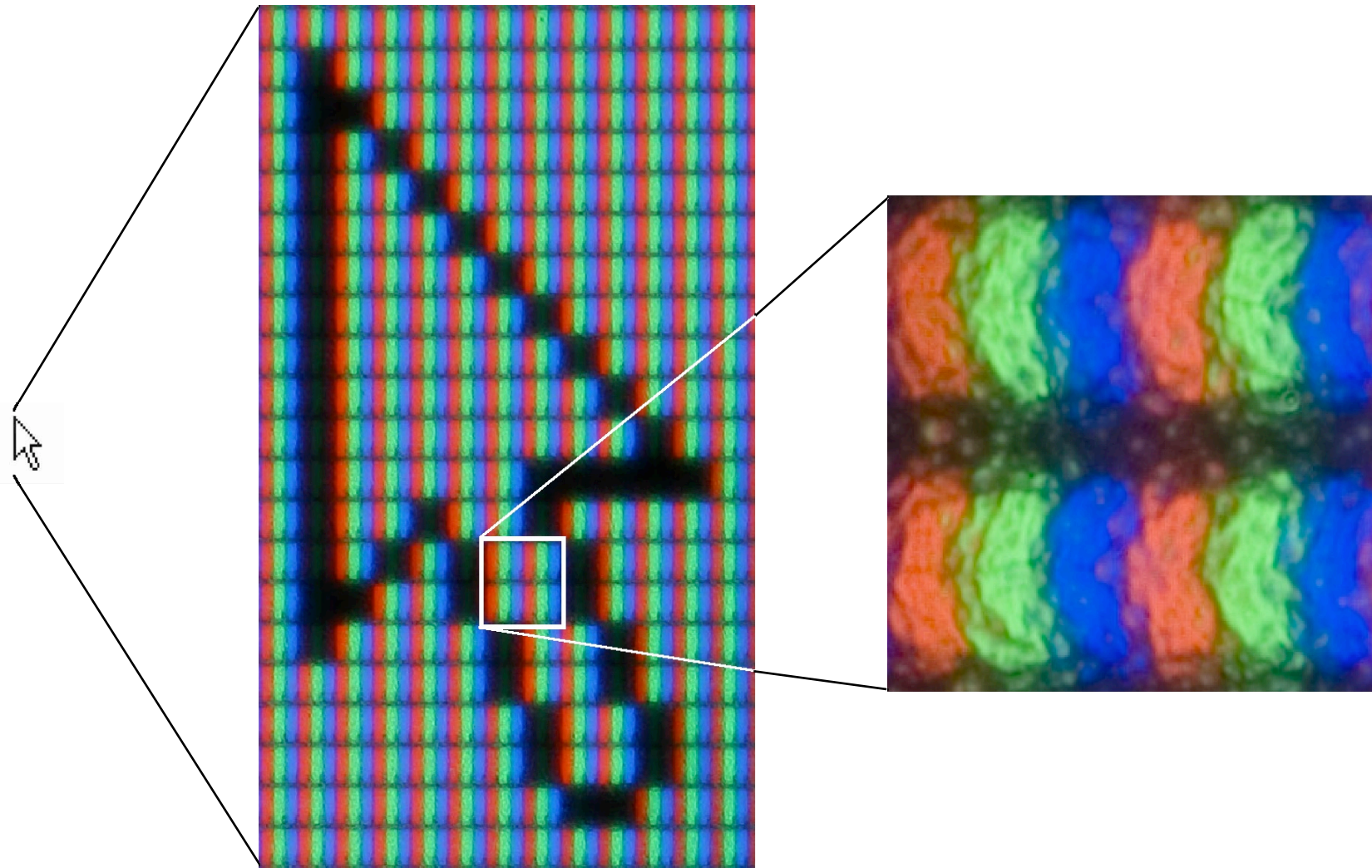
Return To RGB

- Recall that the screen (and other video displays) use red-green-blue lights, arranged in an array of picture elements, or *pixels*

Coffee Cup
Pixels

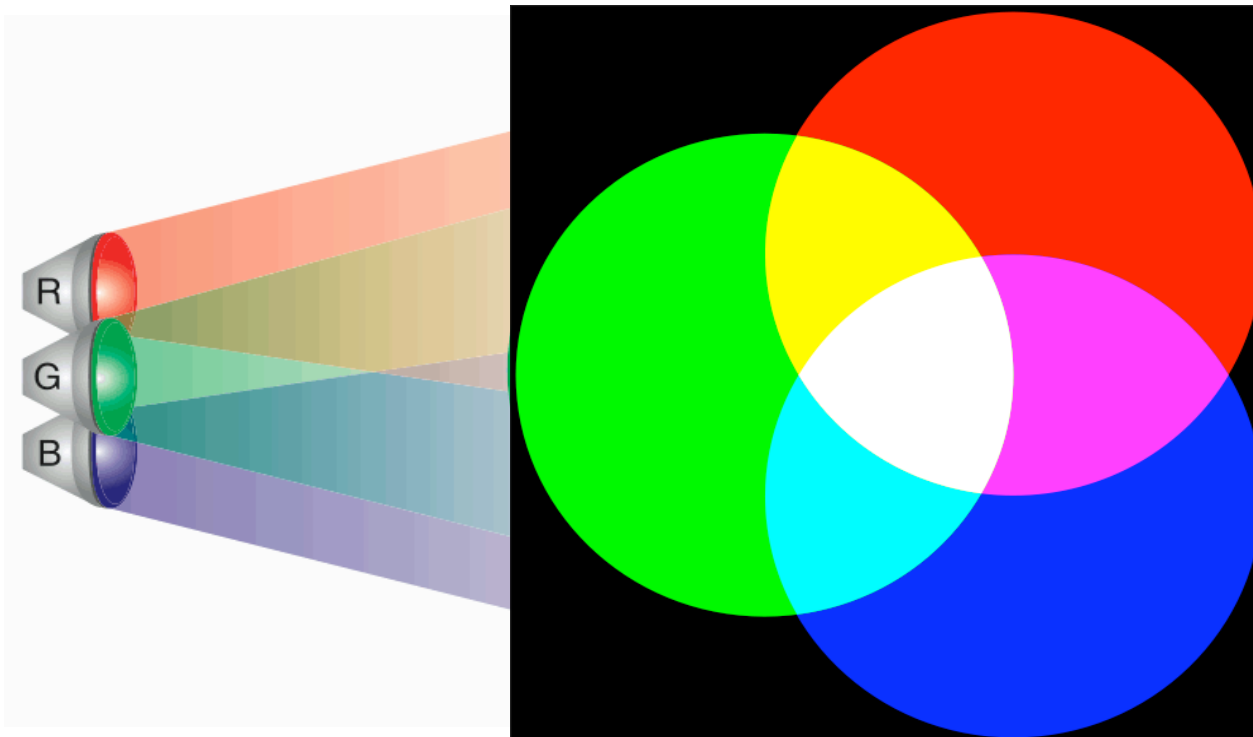


Actual Pixels From TFT LCD Display



Combining Colored Light

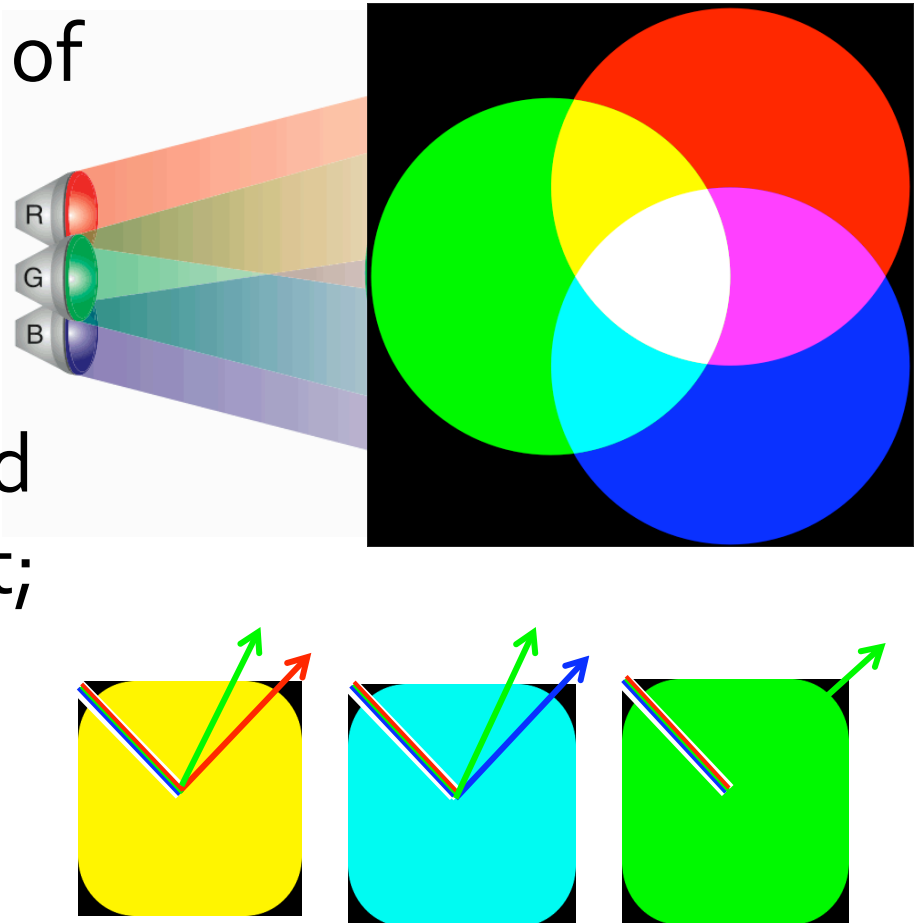
- The Amazing Properties of Colored Light!



- Caution: It doesn't work like pigment




Green + Red = Yellow?

- Colored light seems to violate our grade school rule of green = blue + yellow
What gives?
- In pigment, the color we see is the reflected color from white light; the other colors are absorbed



White, Gray, Black

- You know that gray is just different degrees of white as the “light is turned down” till we get to black

Black = [0,	0,	0]	0000 0000	0000 0000	0000 0000	
Gray = [128,	128,	128]	1000 0000	1000 0000	1000 0000	
White = [255,	255,	255]	1111 1111	1111 1111	1111 1111	

White-gray-black all have same values for RGB

Colors

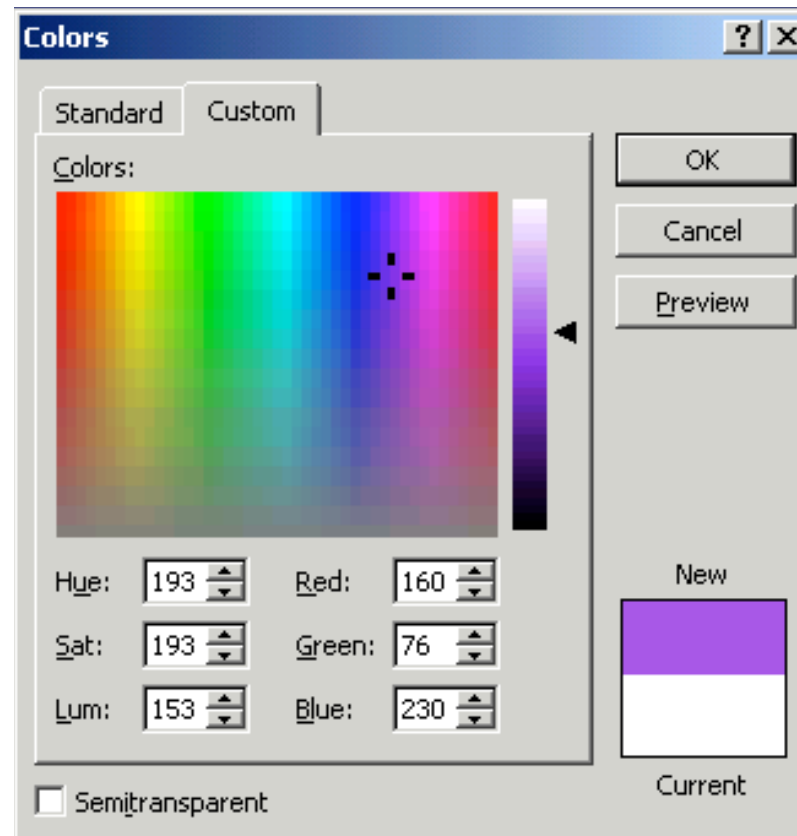
Colors use different combinations of RGB

Husky Purple

Red=160

Green=76

Blue=230



Positional Notation

- The RGB intensities are binary numbers
- Binary numbers, like decimal numbers, use *place notation*

$$1101 = 1 \times 1000 + 1 \times 100 + 0 \times 10 + 1 \times 1$$

$$= 1 \times 10^3 + 1 \times 10^2 + 0 \times 10^1 + 1 \times 10^0$$

except that the base is 2 not 10

$$1101 = 1 \times 8 + 1 \times 4 + 0 \times 2 + 1 \times 1$$

$$= 1 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 1 \times 2^0$$

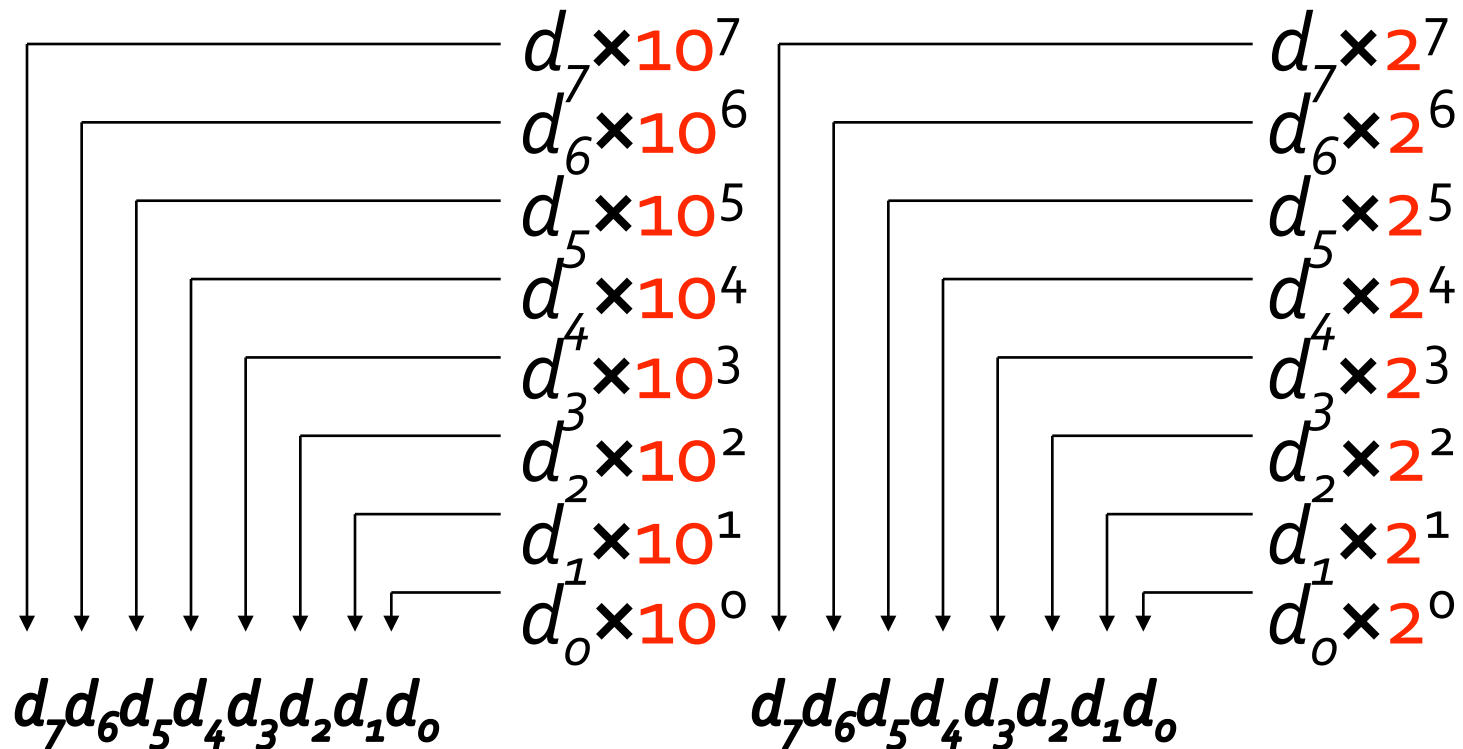
Base or
radix



1101 in binary is 13 in decimal

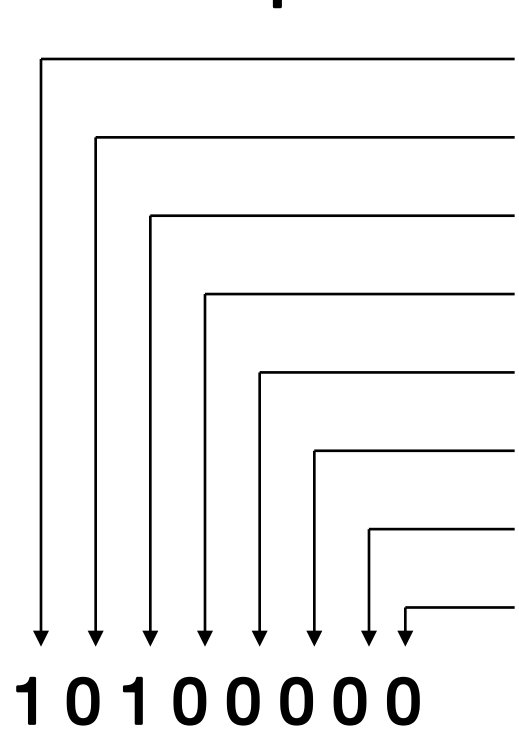
Positional Notation Logic

Recall that the place represents a power of the base value



The Red of HP As A Binary Number

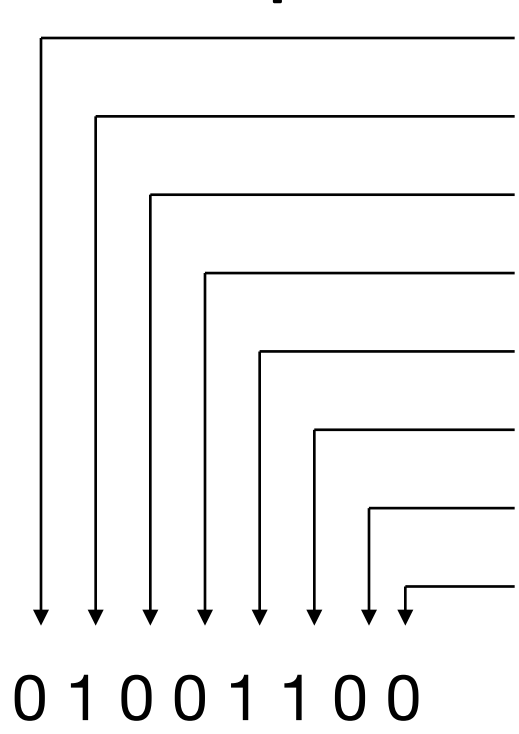
Given a binary number, add up the powers of 2 corresponding to 1s



1	$\times 2^7$	$= 1 \times 128$	$= 128$
0	$\times 2^6$	$= 0 \times 64$	$= 0$
1	$\times 2^5$	$= 1 \times 32$	$= 32$
0	$\times 2^4$	$= 0 \times 16$	$= 0$
0	$\times 2^3$	$= 0 \times 8$	$= 0$
0	$\times 2^2$	$= 0 \times 4$	$= 0$
0	$\times 2^1$	$= 0 \times 2$	$= 0$
0	$\times 2^0$	$= 0 \times 1$	$= 0$
			<u>$= 160$</u>

Green of HP As A Binary Number

Given a binary number, add up the powers of 2 corresponding to 1s



0×2^7	$= 1 \times 128$	$= 0$
1×2^6	$= 0 \times 64$	$= 64$
0×2^5	$= 1 \times 32$	$= 0$
0×2^4	$= 0 \times 16$	$= 0$
1×2^3	$= 0 \times 8$	$= 8$
1×2^2	$= 0 \times 4$	$= 4$
0×2^1	$= 0 \times 2$	$= 0$
0×2^0	$= 0 \times 1$	$= 0$
		<hr/>
		$= 76$

Is It Really Husky Purple?

- So Husky purple is (160,76,230) which is

1010 0000 0100 1100 1110 0110

160

76

230

Suppose you decide it's not "red" enough

- Increase the red by 16 = 1 0000

$$\begin{array}{r} 1010\ 0000 \\ +\ 1\ 0000 \\ \hline 1011\ 0000 \end{array}$$

Adding in binary is
pretty much like
adding in decimal

A Redder Purple

- Increase by 16 more

$$\begin{array}{r} 00110\ 000 \leftarrow \text{Carries} \\ 1011\ 0000 \\ + \quad 1\ 0000 \\ \hline 1100\ 0000 \\ \uparrow \uparrow \end{array}$$

Original
+16
+16

The rule: When the “place sum” equals the radix or more, subtract radix & carry

Check it out online: searching [binary addition](#) hits 19M times, and all of the p.1 hits are good explanations

Find Binary From Decimal

What is 230 (the Blue of HP)? Fill in the Table:

Num Being Converted	230	230	102	38	6	6	6	2	0
Place Value	256	128	64	32	16	8	4	2	1
Subtract		102	38	6			2	0	
Binary Num	0	1	1	1	0	0	1	1	0


Find Binary From Decimal

Place number to be converted into the table; fill place value row with decimal powers of 2

Num Being Converted	230								
Place Value	256	128	64	32	16	8	4	2	1
<i>Subtract</i>									
Binary Num									

Find Binary From Decimal

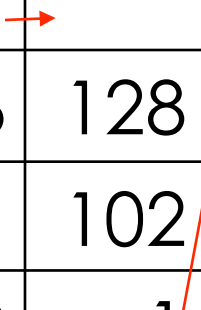
Rule: Subtract PV from the number; a positive result gives new number and "1"; otherwise, "0"

Num Being Converted	230	230							
									
Place Value	256	128	64	32	16	8	4	2	1
<i>Subtract</i>									
Binary Num	0								

Find Binary From Decimal

Rule: Subtract PV from the number; a positive result gives new number and "1"; otherwise, "0"

Num Being Converted	230	230	102						
Place Value	256	128	64	32	16	8	4	2	1
Subtract		102							
Binary Num	0	1							



Find Binary From Decimal

Rule: Subtract PV from the number; a positive result gives new number and "1"; otherwise, "0"

Num Being Converted	230 → 230	102	38						
Place Value	256	128	64	32	16	8	4	2	1
Subtract		102	38						
Binary Num	0	1	1						

Find Binary From Decimal

Rule: Subtract PV from the number; a positive result gives new number and "1"; otherwise, "0"

Num Being Converted	230 → 230	102	38	6					
Place Value	256	128	64	32	16	8	4	2	1
Subtract		102	38	6					
Binary Num	0	1	1	1					

Find Binary From Decimal

Rule: Subtract PV from the number; a positive result gives new number and "1"; otherwise, "0"

Num Being Converted	230 → 230	102	38	6 → 6					
Place Value	256	128	64	32	16	8	4	2	1
Subtract		102	38	6					
Binary Num	0	1	1	1	0				

Find Binary From Decimal

Rule: Subtract PV from the number; a positive result gives new number and "1"; otherwise, "0"

Num Being Converted	230 → 230	102	38	6 → 6 → 6					
Place Value	256	128	64	32	16	8	4	2	1
Subtract		102	38	6					
Binary Num	0	1	1	1	0	0			

Find Binary From Decimal

Rule: Subtract PV from the number; a positive result gives new number and "1"; otherwise, "0"

Num Being Converted	230	→ 230	102	38	6	→ 6	→ 6	2	
Place Value	256	128	64	32	16	8	4	2	1
Subtract		102	38	6			2		
Binary Num	0	1	1	1	0	0	1		

Find Binary From Decimal

Rule: Subtract PV from the number; a positive result gives new number and "1"; otherwise, "0"

Num Being Converted	230	→ 230	102	38	6	→ 6	→ 6	2	0
Place Value	256	128	64	32	16	8	4	2	1
Subtract		102	38	6			2	0	
Binary Num	0	1	1	1	0	0	1	1	

Find Binary From Decimal

Rule: Subtract PV from the number; a positive result gives new number and "1"; otherwise, "0"

Num Being Converted	230	→ 230	102	38	6	→ 6	→ 6	2	0
Place Value	256	128	64	32	16	8	4	2	1
Subtract		102	38	6			2	0	
Binary Num	0	1	1	1	0	0	1	1	0

Read off the result: 0 1110 0110