

# Z-buffer

The **Z-buffer** or **depth buffer** algorithm [Catmull, 1974] is probably the simplest and most widely used.

Here is pseudocode for the Z-buffer hidden surface algorithm:

```
for each pixel  $(i,j)$  do
  Z-buffer  $[i,j]$   $\leftarrow$  FAR
  Framebuffer  $[i,j]$   $\leftarrow$  <background color>
end for
for each polygon A do
  for each pixel in A do
    Compute depth  $z$  and shade  $s$  of A at  $(i,j)$ 
    if  $z > \text{Z-buffer}[i,j]$  then
      Z-buffer  $[i,j]$   $\leftarrow$   $z$ 
      Framebuffer  $[i,j]$   $\leftarrow$   $s$ 
    end if
  end for
end for
```

Q: What should FAR be set to?

Far clipping plane depth  
- Big number

## Z-buffer: Analysis

- Easy to implement?  $Y$
- Easy to implement in hardware?  $Y$
- Incremental drawing calculations (uses coherence)?  $Y$
- Pre-processing required?  $N$
- On-line (doesn't need all objects before drawing begins)?  $Y$
- If objects move, does it take more work than normal to draw the frame?  $N$
- If the viewer moves, does it take more work than normal to draw the frame?  $N$
- Typically polygon-based?  $Y$
- Efficient shading (doesn't compute colors of hidden surfaces)?  $N$
- Handles transparency?  $N$
- Handles refraction?  $N$

$A \overleftarrow{\text{over}} B \text{ over } C$

$$\alpha_A A + (1 - \alpha_A) (\alpha_B B + (1 - \alpha_B) C) \neq \alpha_B B + (1 - \alpha_B) (\alpha_A A + (1 - \alpha_A) C)$$