## Vision Algorithms (CSE/EE 577, CSE590CV)

#### Staff

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#### Web Page

<u>http://www.cs.washington.edu/education/courses/cse577/04sp/</u>

#### Handouts

- these notes
- · class web page
- · project/partner request form

## **Course Overview**

Motivation—tools you should know to do research in computer vision

# Administrative

- Get on class mailing list!
  - http://mailman.cs.washington.edu/mailman/listinfo/cse577
  - (if you got the TEST message today, you're already on)
- · room, video taping
- format:
  - 577: Tue/Fri 1:30-2:50: invited tutorial talks, lectures, project presentation, discussion
  - 590CV: Mon (mostly) 10:30 at MSR (113/1021). Van leaves promptly at 9:45am from parking lot N. of HUB.
- By Thursday noon: complete project/partner form
  - choose partner for first two projects
  - algorithm preferences
- Bus to MSR (590CV)—space is limited to registered students

# Assignments

#### Implement three algorithms/applications

- one from each category
  - cat1: belief propagation, expectation maximization, graph cuts
  - cat2: level sets, nonlinear least squares/sparse matrix, discriminative methods
  - cat3: dimensionality reduction, distance transforms/matching, monte carlo sampling (MCMC)
- · work with a partner
- · each group implements both an algorithm and an application
- present results in class

# Topics/speakers

- Belief propagation (Yair Weiss, Hebrew U)

   intro to graphical models
- Expectation maximization (Nebojsa Jojic, MSR)
   variational methods
- Graph cuts (Ramin Zabih, Cornell)
- Level set evolution (Guillermo Sapiro, Minnesota)
- Nonlinear least squares (Rick Szeliski, MSR)
   sparse matrix methods
- Discriminative methods (Paul Viola, MSR)
   Adaboost
- · Dimensionality reduction (Sam Roweis, Toronto)
- Distance transforms, matching (Dan Huttenlocher, Cornell)
- Markov Chain Monte Carlo (Frank Dellaert, Georgia Tech)



## Expectation Maximization (Nebojsa Jojic)

EM is an iterative optimization method to estimate some unknown parameters  $\Theta$ , given measurement data U. However, we are not given some "hidden" nuisance variables J, which need to be integrated out. In particular, we want to maximize the posterior probability of the parameters  $\Theta$  given the data U, marginalizing over J:

$$\Theta^* = \underset{\Theta}{\operatorname{argmax}} \sum_{\mathbf{J} \in \mathcal{J}^n} P(\Theta, \mathbf{J} | \mathbf{U}) \tag{1}$$



Applications

• segmentation, reconstruction, recognition, ...







# Discriminative Methods (Paul Viola)

#### Techniques:

- Support vector machines
- Adaboost
- · Memory based classification and locally-weighted regression
- Building fast classifiers

#### Applications:

- Face and object detection
- Recognition: Characters/faces/objects
- · Body pose estimation

### **Dimensionality Reduction (Sam Roweis)**

Given a data set, find a low-dimensional embedding/parameterization

Linear methods are well-known (PCA) Nonlinear methods are newer, more general

Applications

Recognition, compression, learning control knobs







