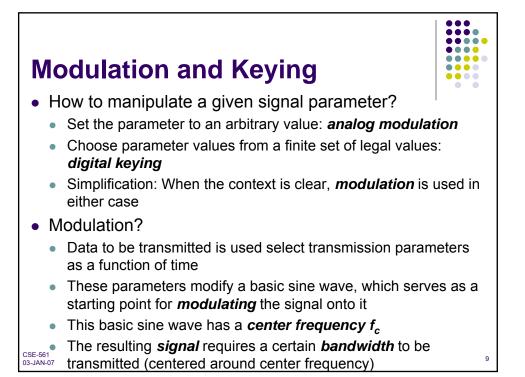


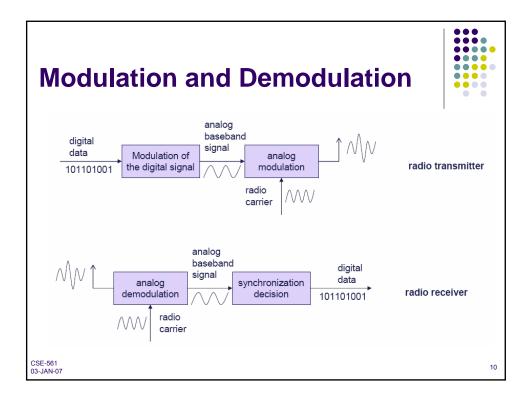
Transmitting data using radio waves

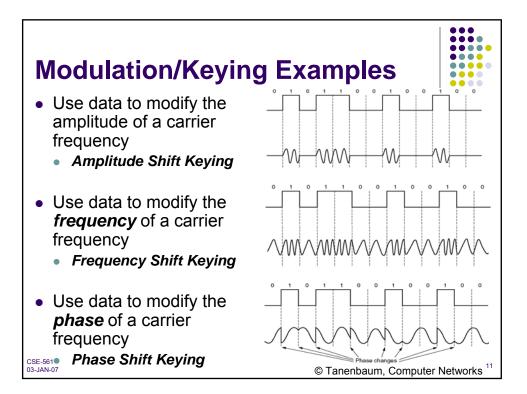
- Basics: Transmit can send a radio wave, receive can detect whether such a wave is present and also its parameters
- Parameters of a wave = sine function:

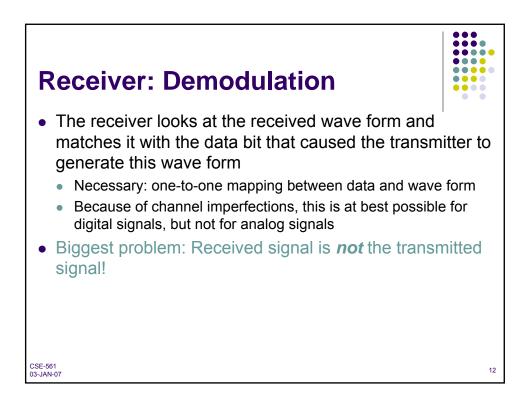
$$s(t) = A(t)\sin(2\pi f(t)t + \phi(t))$$

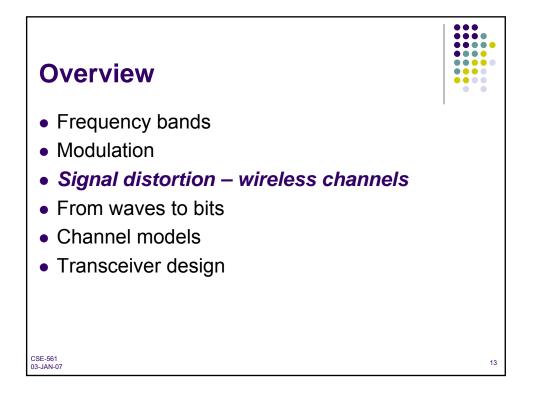
- Parameters: amplitude A(t), frequency f(t), phase $\phi(t)$
- Manipulating these three parameters allows the sender to express data; receiver reconstructs data from signal
- Simplification: Receiver "sees" the same signal that the sender generated not true, see later!











Transmitted signal <> received signal!



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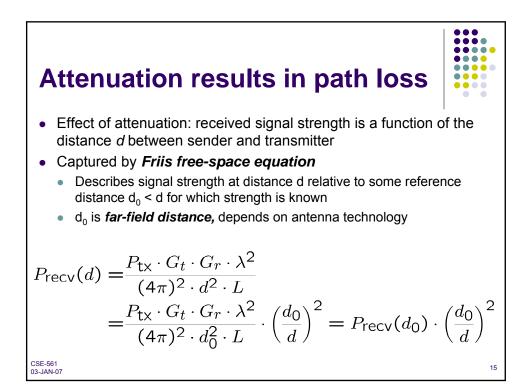
- Wireless transmission *distorts* any transmitted signal
 - Received <> transmitted signal; results in *uncertainty at receiver* about which bit sequence originally caused the transmitted signal
 - Abstraction: Wireless channel describes these distortion effects
- Sources of distortion

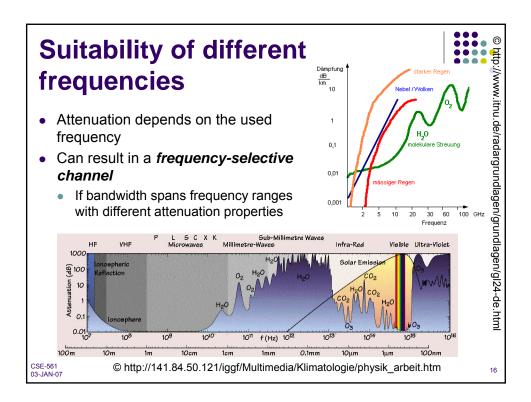
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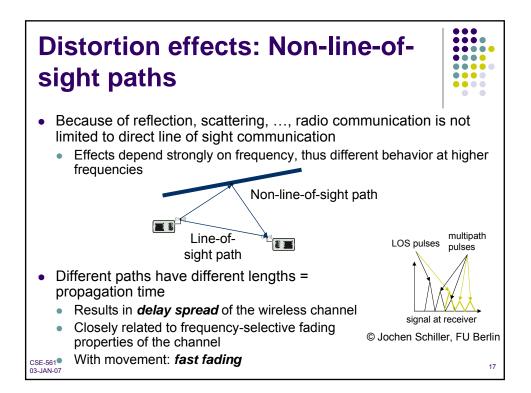
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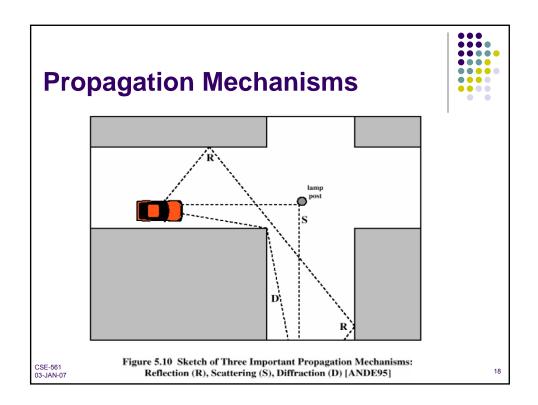
- Attenuation energy is distributed to larger areas with increasing distance
- Reflection/refraction bounce of a surface; enter material
- Diffraction start "new wave" from a sharp edge
- Scattering multiple reflections at rough surfaces
- Doppler fading shift in frequencies (loss of center)

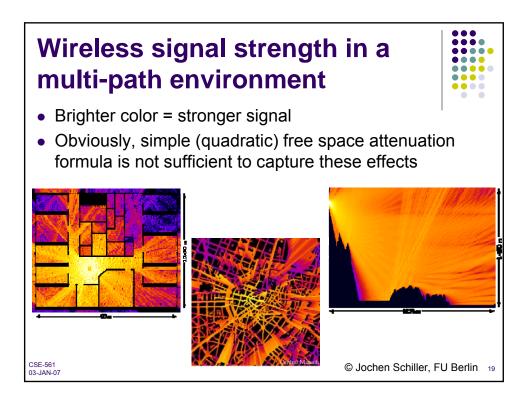












Generalizing the attenuation formula

- To take into account stronger attenuation than only caused by distance (e.g., walls, ...), use a larger exponent γ > 2
 - γ is the path-loss exponent

$$P_{\text{recv}}(d) = P_{\text{recv}}(d_0) \cdot \left(\frac{d_0}{d}\right)^{\gamma}$$

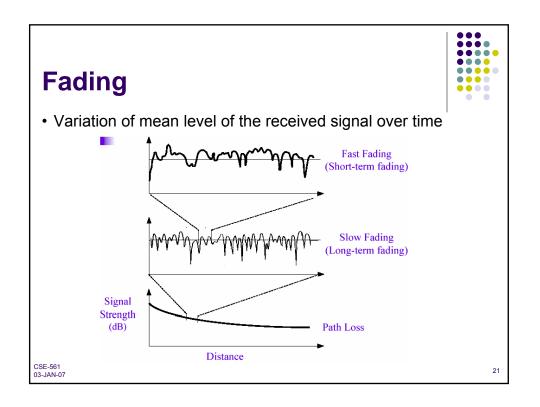
• Rewrite in logarithmic form (in dB):

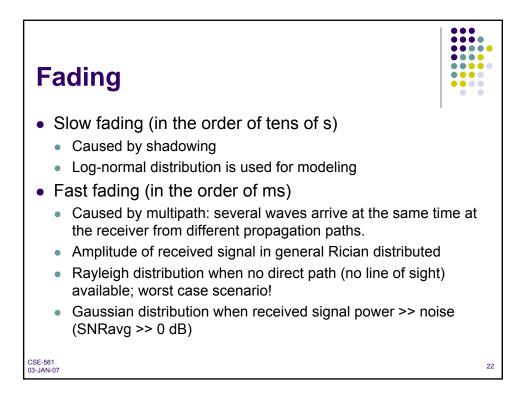
$$\mathsf{PL}(d)[\mathsf{dB}] = \mathsf{PL}(d_0)[\mathsf{dB}] + 10\gamma \log_{10}\left(\frac{d}{d_0}\right)$$

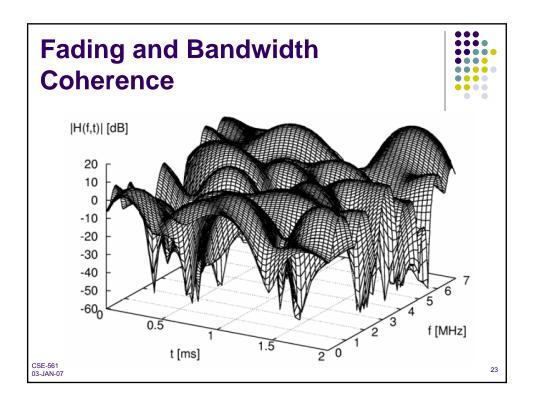
Take obstacles into account by a random variation
Add a Gaussian random variable N(0,σ²) to dB representation

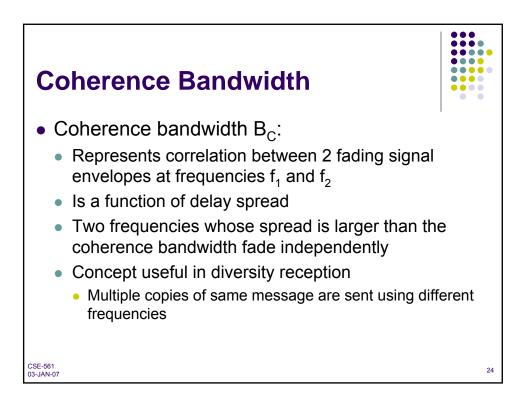
 $\mathsf{PL}(d)[\mathsf{dB}] = \mathsf{PL}(d_0)[\mathsf{dB}] + 10\gamma \log_{10}\left(\frac{d}{d_0}\right) + X_{\sigma}[\mathsf{dB}]$

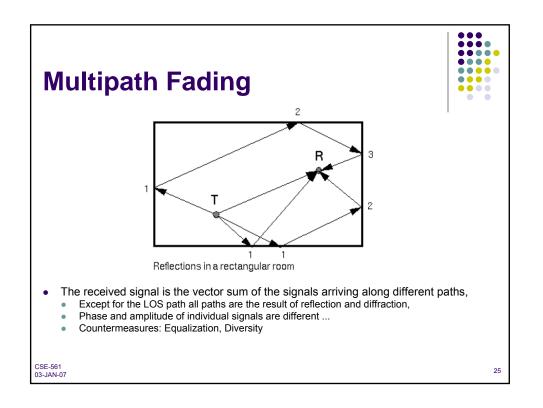
 Equivalent to multiplying with a lognormal distributed r.v. in metric units
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-> lognormal fading

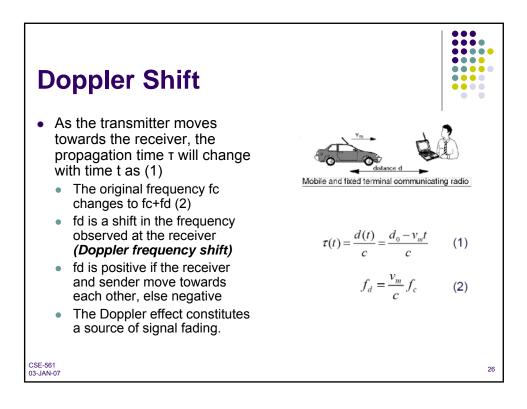


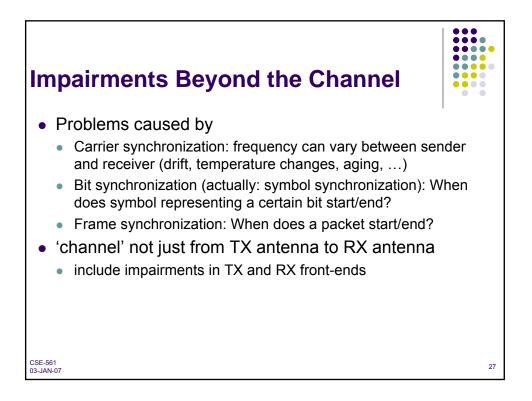


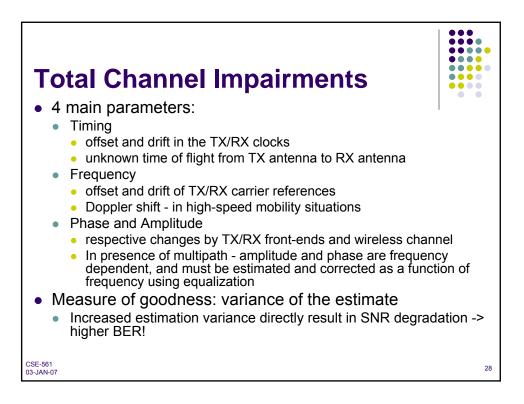


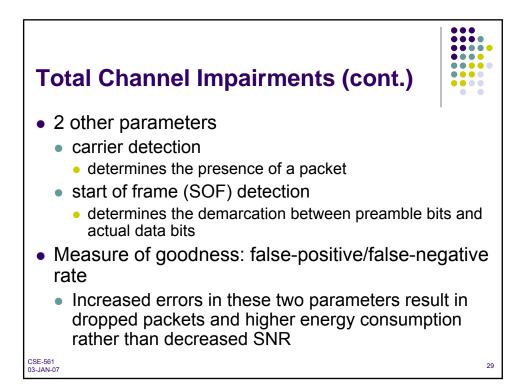


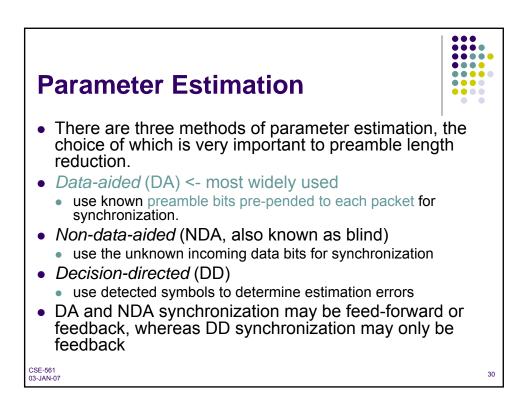


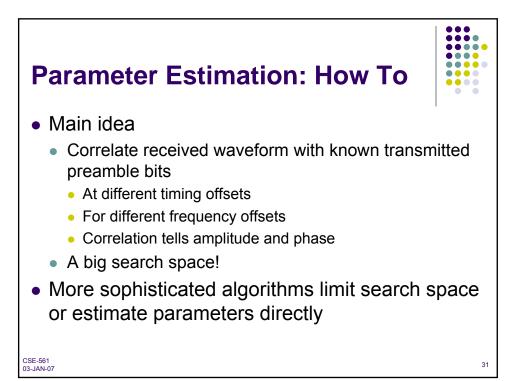


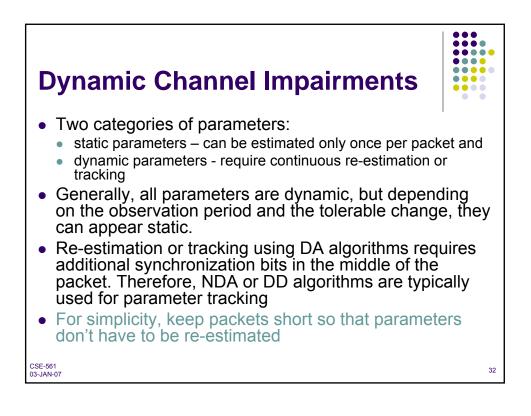


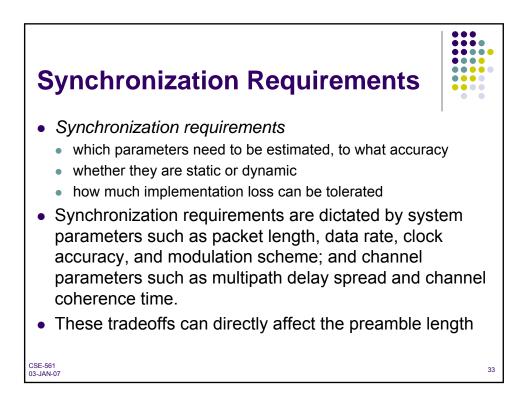


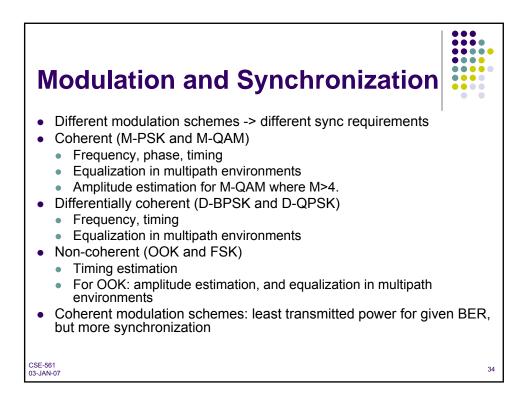


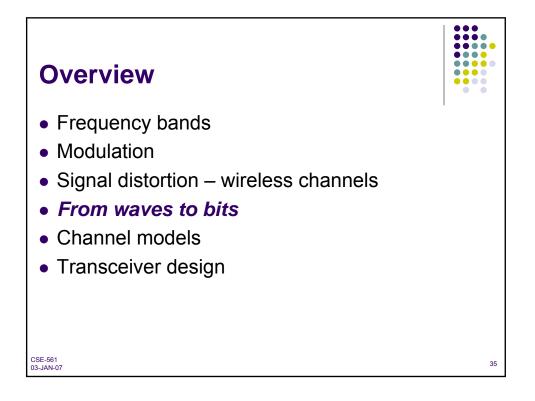


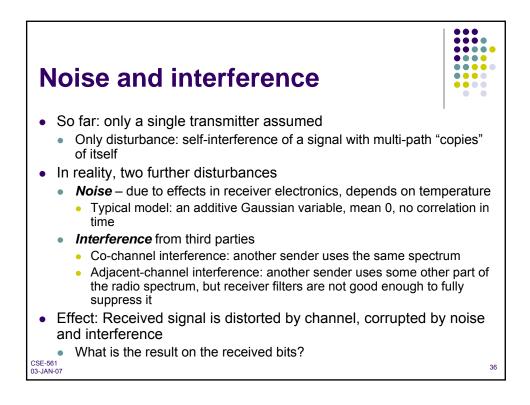


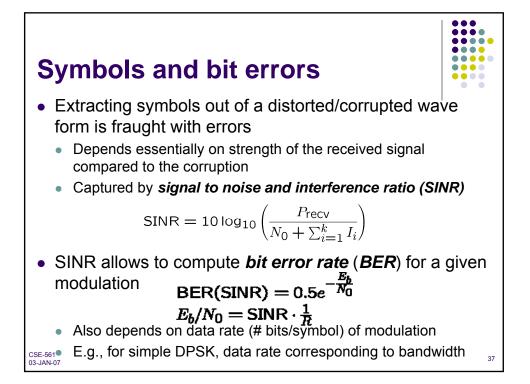


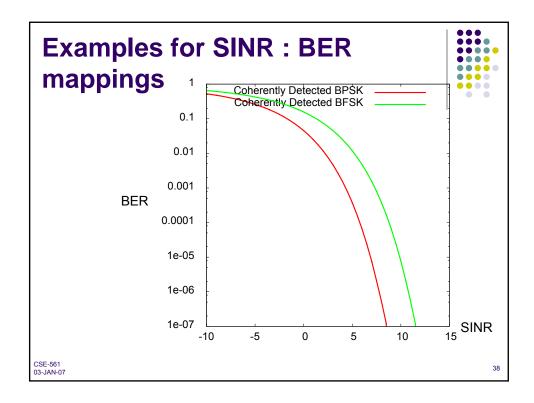


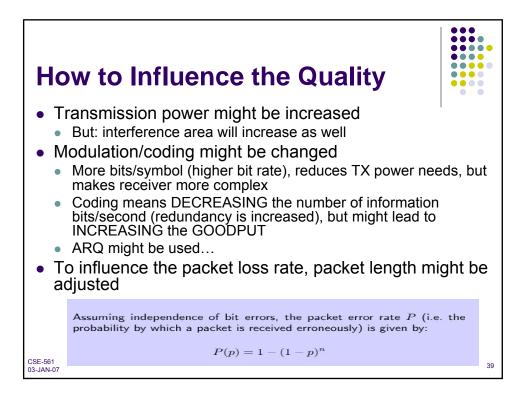


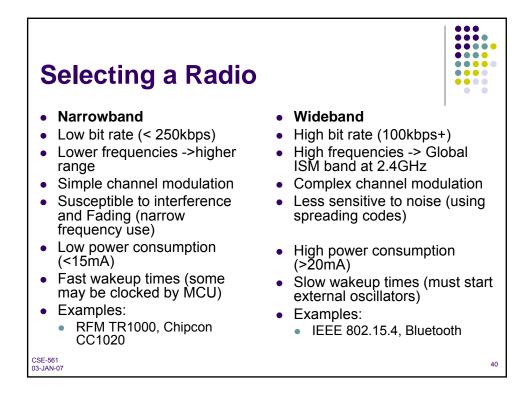


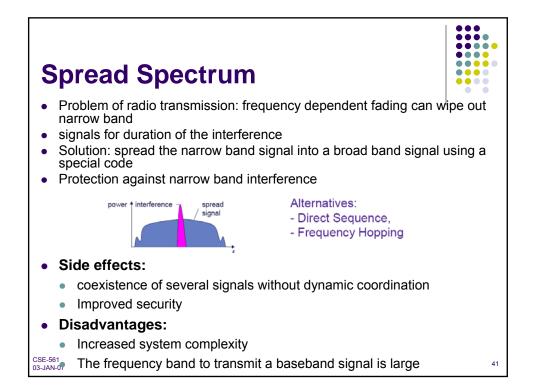


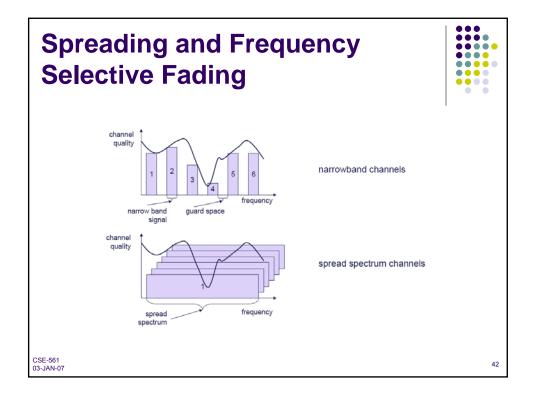


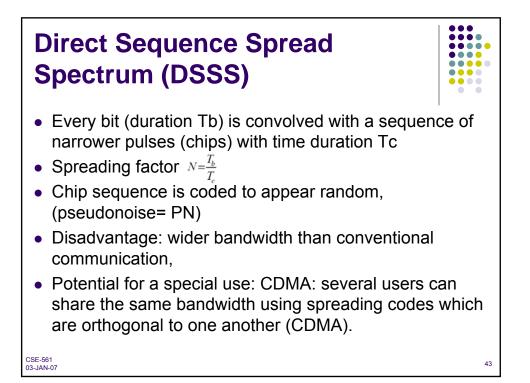


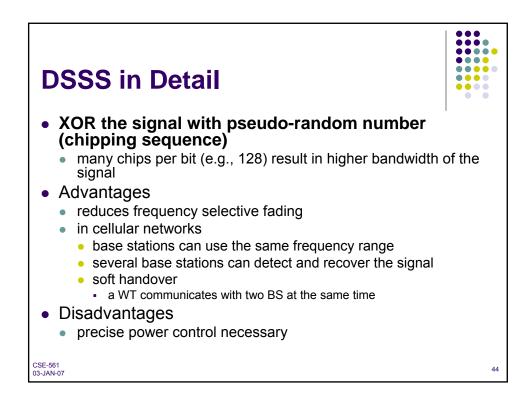


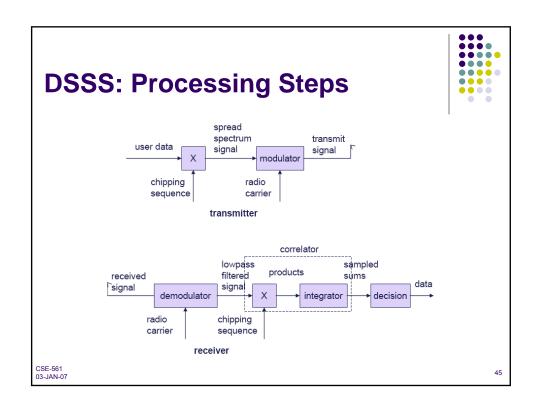


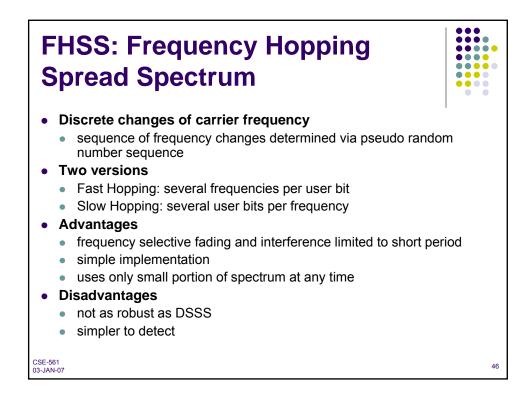


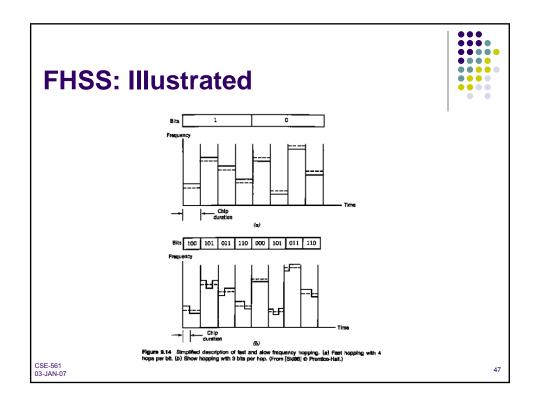


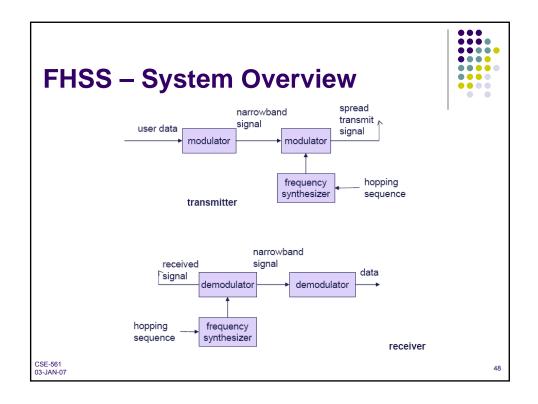


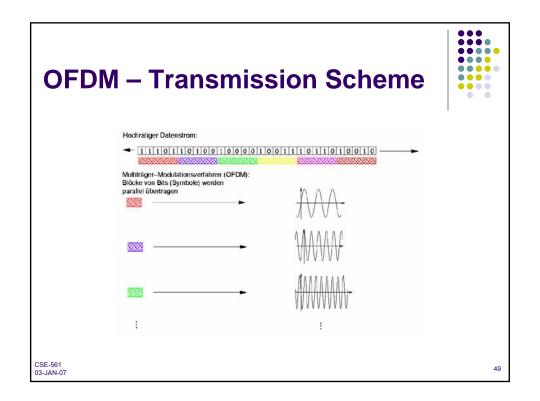


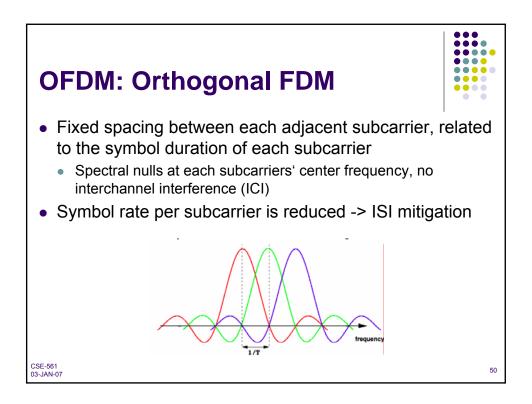


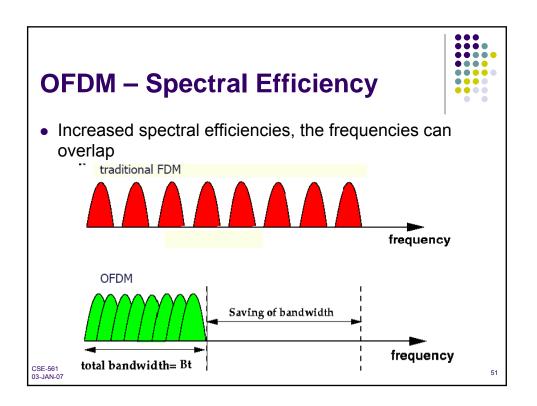


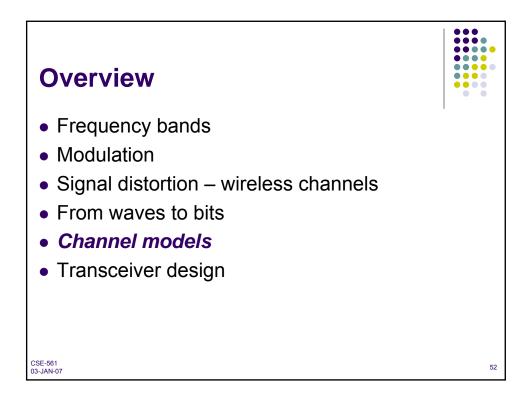


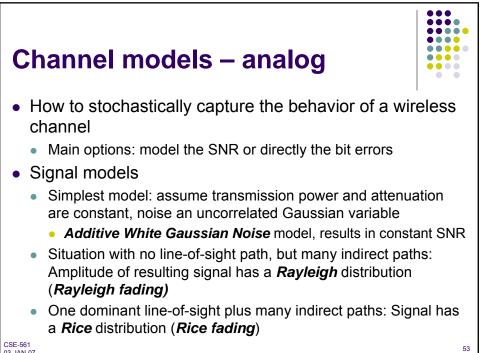












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