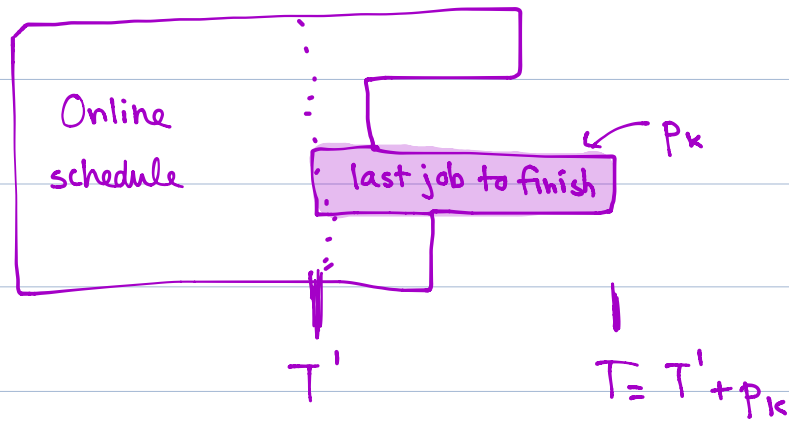


Scheduling

n jobs p_1, p_2, \dots, p_n



$$OPT \geq \frac{\sum_{j=1}^n p_j}{m}$$

$$T \leq T' + p_k$$

$$OPT \geq p_k$$

$$\leq \frac{\sum_{j \neq k} p_j}{m} + p_k$$

$$\leq OPT - \frac{p_k}{m} + p_k$$

$$\leq OPT \left(2 - \frac{1}{m}\right)$$

List update

Model 1 - original

cost to access
item at depth i
 $= i$

free to move
forward by
any amount

adjacent items
can be exchanged
at cost of 1

Model 2

cost to access
item at depth i
 $= i$

required to
move to front

adjacent items
can be exchanged
at cost of 1

$OPT(\sigma)$ opt
alg in model 1

OPT' : simulates
 OPT

$$OPT'(\sigma) \leq 2 OPT(\sigma)$$

$$OPT\text{-Model 2}(\sigma) \leq OPT'(\sigma)$$

$$MTF(\sigma) = OPT\text{-Model 2}(\sigma)$$

no advantage
to paid exchanges
"exchange argument"