

KLEE: Unassisted and Automatic Generation of High-Coverage Tests for Complex Systems Programs

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Concolic testing

Run the program under the *symbolic virtual machine*:

- Instruction calls on *concrete values* are evaluated as usual
- Instruction calls on *symbolic values* create a new symbolic value

```
int bin2dec(int n, char *digits) {
    int result = 0;
    for (int power2 = 1, i = 1;
         i <= n;
         ++i, power2 *= 2)
        result += (digits[n - i] - '0') * power2;
    return result;
}
```

```
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         ++i, power2 *= 2)
        result += (digits[n - i] - '0') * power2;
    return result;
}

// Assuming klee_make_symbolic(digits, 5 * sizeof(char), "digit"
// digits[2]
```

	n
	digits[0]
	digits[1]
	digits[2]
	digits[3]
	digits[4]

```
int bin2dec(int n, char *digits) {  
    int result = 0;  
    for (int power2 = 1, i = 1;  
         i <= n;  
         ++i, power2 *= 2)  
        result += (digits[n - i] - '0') * power2;  
    return result;  
}
```

n

digits[0]

digits[1]

digits[2]

digits[3]

digits[4]

result

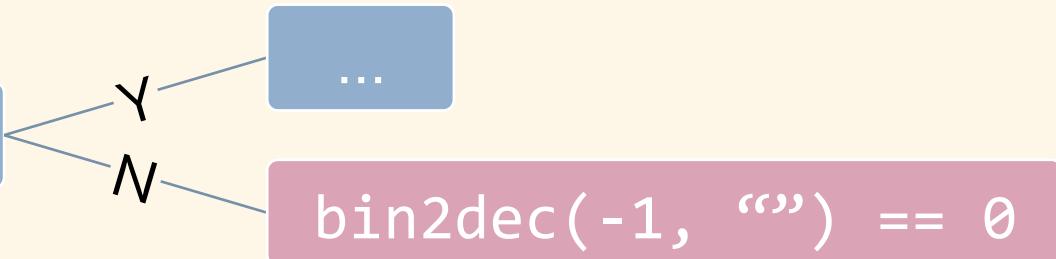
power2

```

int bin2dec(int n, char *digits) {
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        result += (digits[n - i] - '0') * power2;
    return result;
}

```

$v \leq v_0 ?$



n	
digits[0]	
digits[1]	
digits[2]	
digits[3]	
digits[4]	
result	
power2	

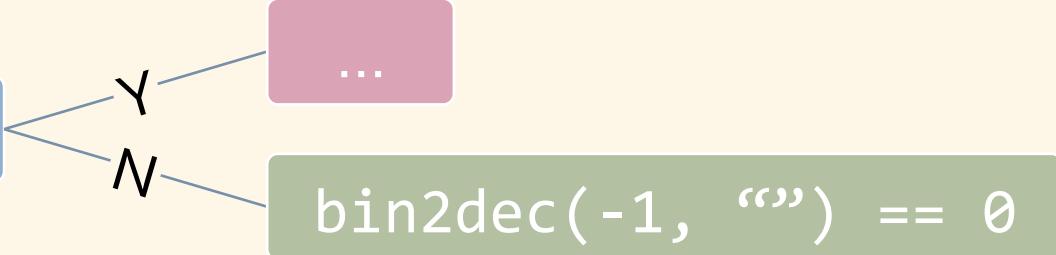
Path condition: $\Phi = (v \leq v_0 \wedge n < 1)$

```

int bin2dec(int n, char *digits) {
    int result = 0;
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```

$v \leq v_0 ?$



n	
digits[0]	
digits[1]	
digits[2]	
digits[3]	
digits[4]	
result	
power2	

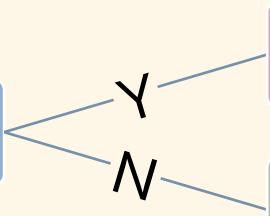
Path condition: $\Phi = (v \leq v_0 \geq 1)$

```

int bin2dec(int n, char *digits) {
    int result = 0;
    for (int power2 = 1, i = 1;
        i <= n;
        ++i, power2 *= 2)
        result += (digits[n - i] - '0') * power2;
    return result;
}

```

$v \downarrow 0 \leq ?$



$v \downarrow 0 - 1 \geq 0?$

$\text{bin2dec}(-1, "") == 0$

Path condition: $\Phi = (v \downarrow 0 \geq 1)$

n

$\text{digits}[0]$

$\text{digits}[1]$

$\text{digits}[2]$

$\text{digits}[3]$

$\text{digits}[4]$

result

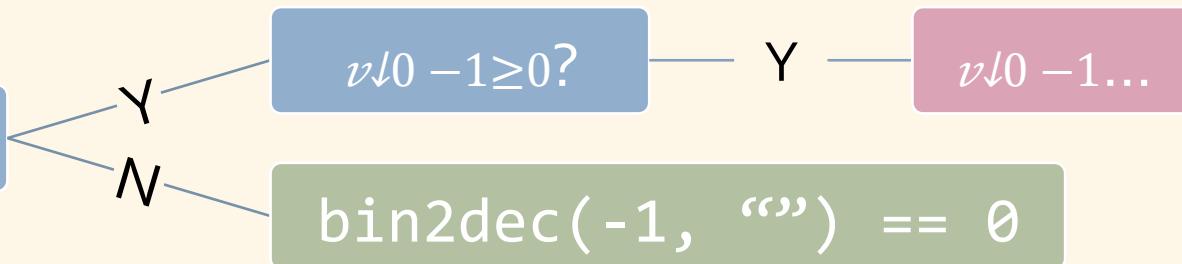
power2

```

int bin2dec(int n, char *digits) {
    int result = 0;
    for (int power2 = 1, i = 1;
         i <= n;
         ++i, power2 *= 2)
        result += (digits[n - i] - '0') * power2;
    return result;
}

```

$1 \leq v \downarrow 0 ?$



n

$\text{digits}[0]$

$\text{digits}[1]$

$\text{digits}[2]$

$\text{digits}[3]$

$\text{digits}[4]$

result

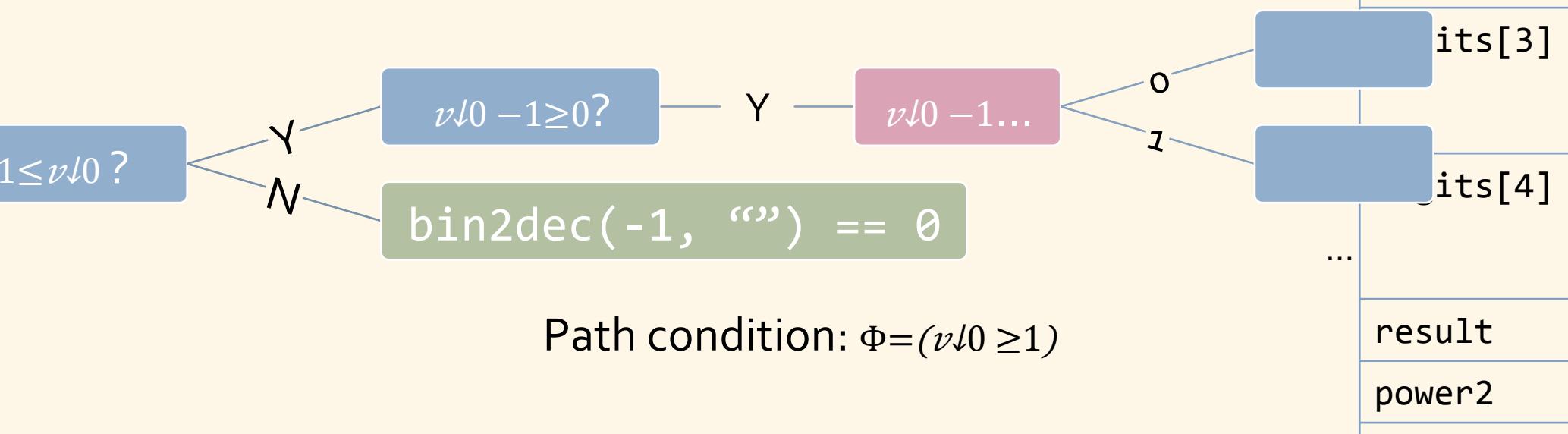
power2

Path condition: $\Phi = (v \downarrow 0 \geq 1)$

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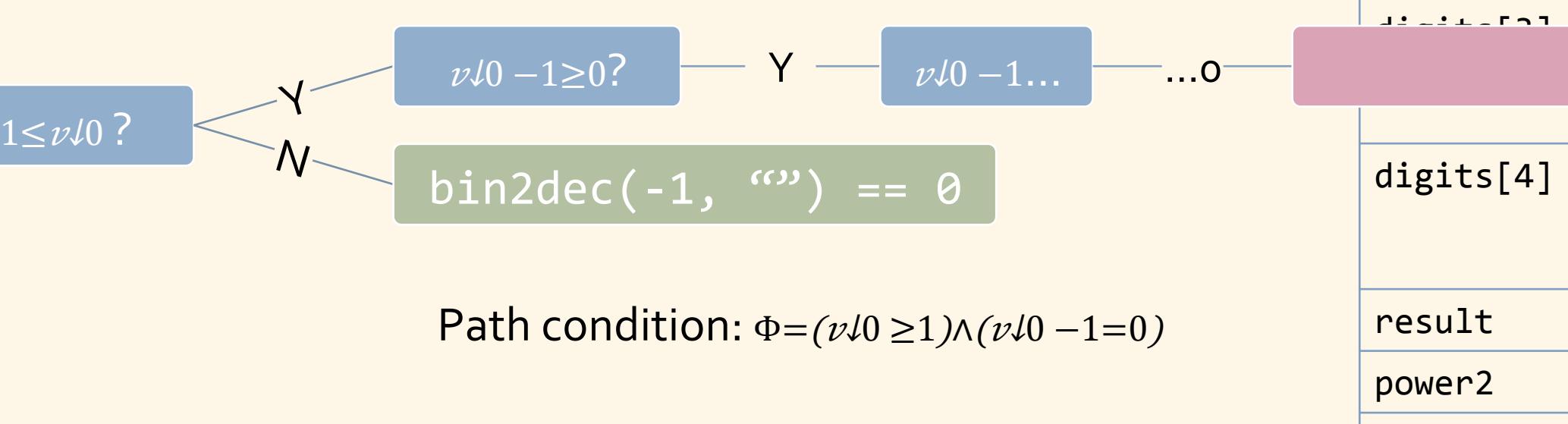
```



```

int bin2dec(int n, char *digits) {
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}

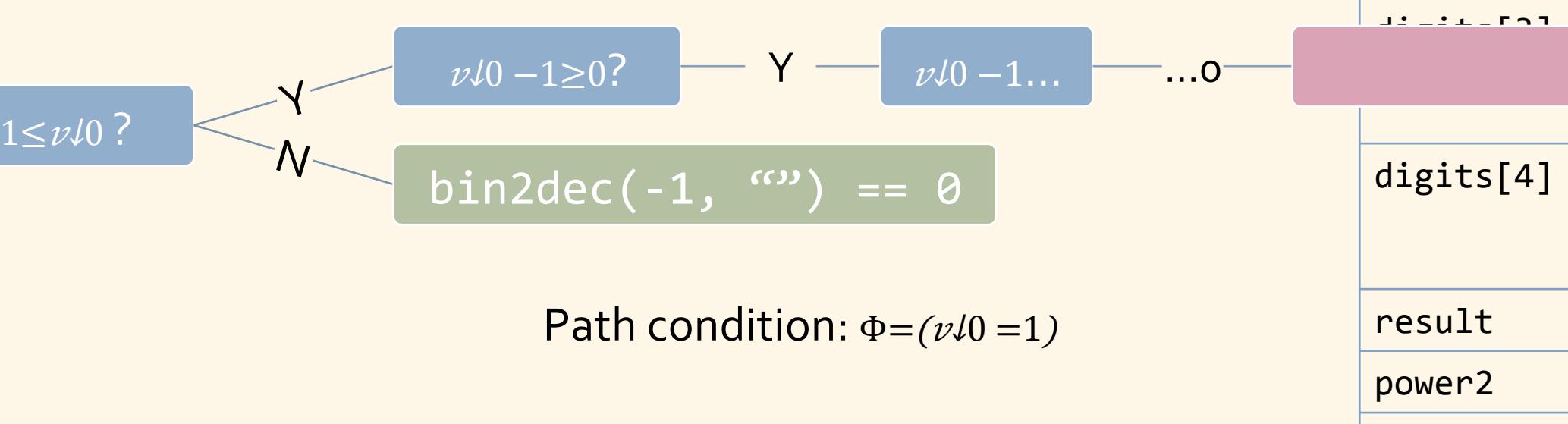
```



```

int bin2dec(int n, char *digits) {
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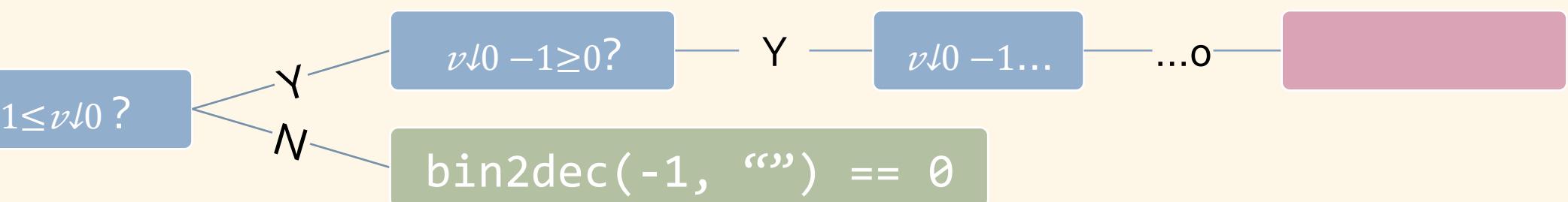


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}

```

n	$v\downarrow 0$
digits[0]	$v\downarrow 1$
digits[1]	$v\downarrow 2$
digits[2]	$v\downarrow 3$
digits[3]	$v\downarrow 4$
digits[4]	$v\downarrow 5$
result	$v\downarrow 1$ -4
power2	1
i	1



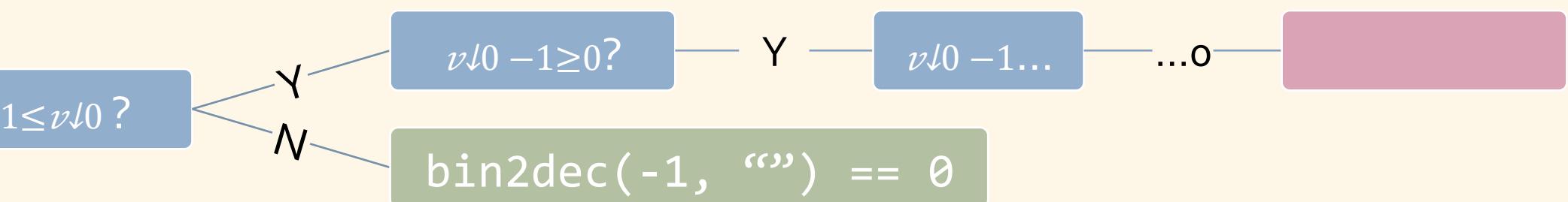
Path condition: $\Phi=(v\downarrow 0 = 1)$

```

int bin2dec(int n, char *digits) {
    int result = 0;
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         i <= n;
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        result += (digits[n - i] - '0') * power2;
    return result;
}

```

n	$\nu \downarrow 0$
digits[0]	$\nu \downarrow 1$
digits[1]	$\nu \downarrow 2$
digits[2]	$\nu \downarrow 3$
digits[3]	$\nu \downarrow 4$
digits[4]	$\nu \downarrow 5$
result	$\nu \downarrow 1$ -4
power2	2
i	2



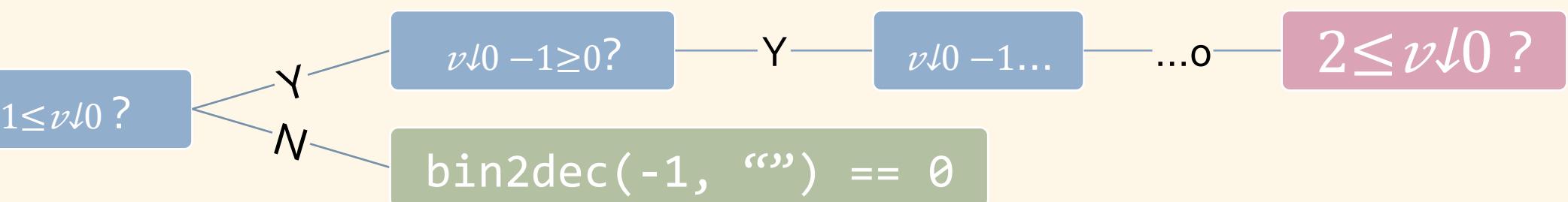
Path condition: $\Phi = (\nu \downarrow 0 = 1)$

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```

n	$\nu \downarrow 0$
digits[0]	$\nu \downarrow 1$
digits[1]	$\nu \downarrow 2$
digits[2]	$\nu \downarrow 3$
digits[3]	$\nu \downarrow 4$
digits[4]	$\nu \downarrow 5$
result	$\nu \downarrow 1$ -4
power2	2
i	2



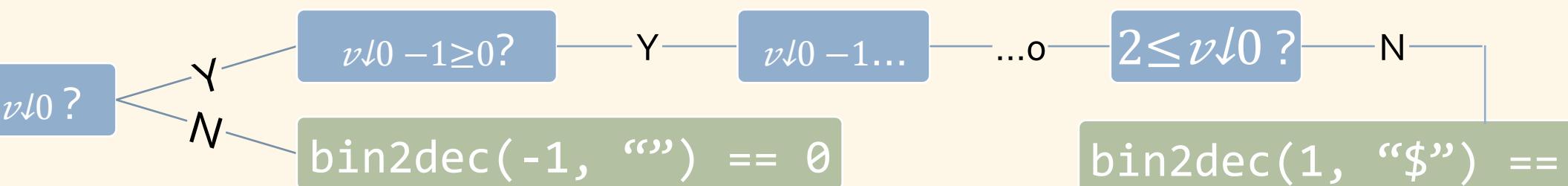
Path condition: $\Phi = (\nu \downarrow 0 = 1)$

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n	$v\downarrow 0$
digits[0]	$v\downarrow 1$
digits[1]	$v\downarrow 2$
digits[2]	$v\downarrow 3$
digits[3]	$v\downarrow 4$
digits[4]	$v\downarrow 5$
result	$v\downarrow 1$ -4
power2	2
i	2



Path condition: $\Phi = (v\downarrow 0 = 1)$

Concolic testing

Run the program under the *symbolic virtual machine*:

- Instruction calls on *concrete values* are evaluated as usual
- Instruction calls on *symbolic values* create a new symbolic value

Fork new processes on conditional instructions:

- 1 process if Φ implies the condition or its negation
- 2 processes otherwise
- N processes for a load/store that may alias N locations

Test case generation

Validating assertions

$\Phi = (n \geq 1) \wedge (i > n) \wedge (n \leq SIZE)$]

`int res = data[i % (n - 1)];`

$\exists n, i: \Phi \wedge (i \% (n-1) \geq SIZE)$? No.

$\exists n, i: \Phi \wedge (i \% (n-1) < 0)$? No.

$\exists n, i: \Phi \wedge n - 1 = 0$? Yes:

$i=1 \wedge i=2$.

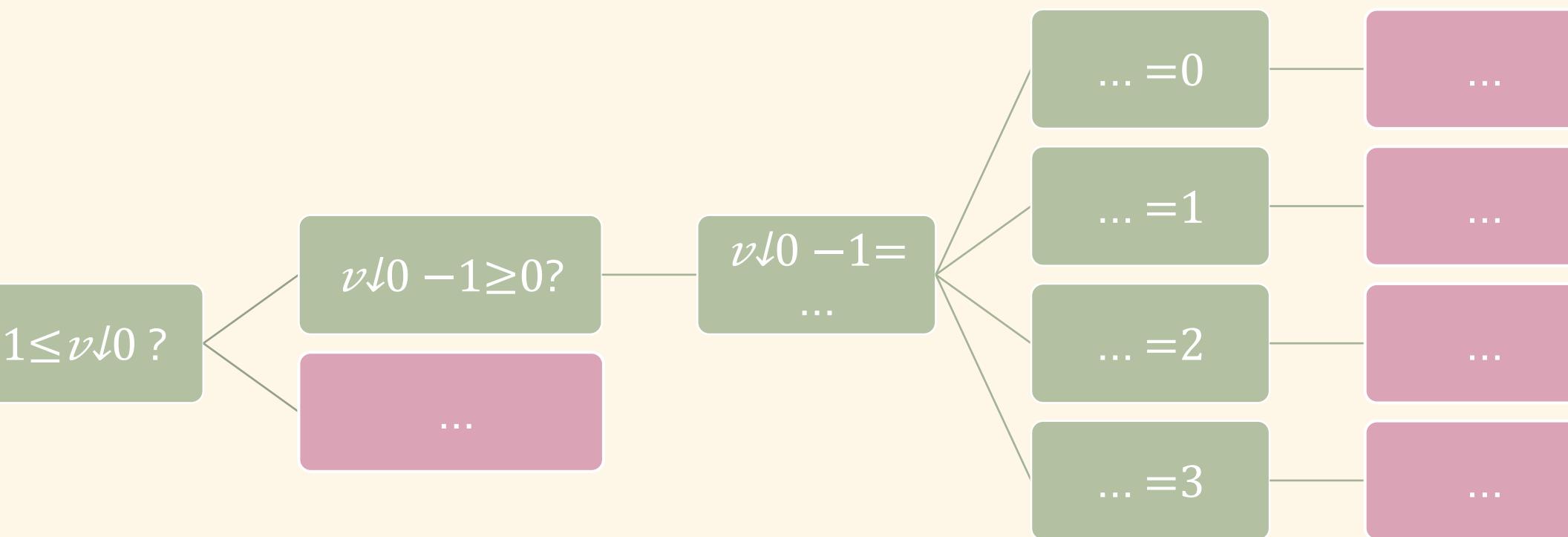
Concretization of final states

$[\Phi = (n > 1) \wedge (i > n)]$

`return i % (n - 1);`

$\exists i, n, r: \Phi \wedge r = (i \% (n-1))$? Yes.

Scheduling



Scheduling

At any moment, KLEE maintains exponentially many forks

Requirements:

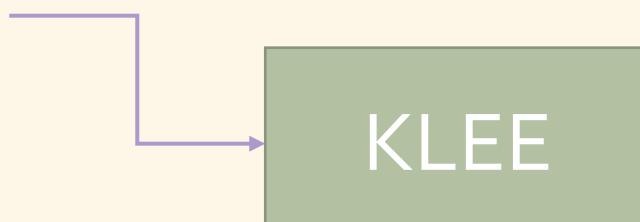
- Each fork should get some computing time “in the limit”
- State explosion in one part of the program should not prevail over the others
- KLEE should prefer forks that cover new code
- A fork’s computation should not block execution

Solution:

- Employ multiple *strategies for fork selection*
- Switch between all strategies uniformly
- Constrain each fork with a time limit

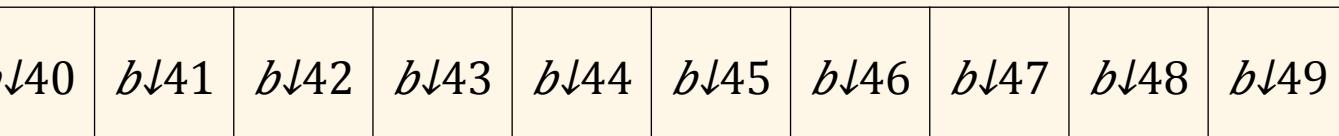
Environment

`fread(f, &buf, 5);`

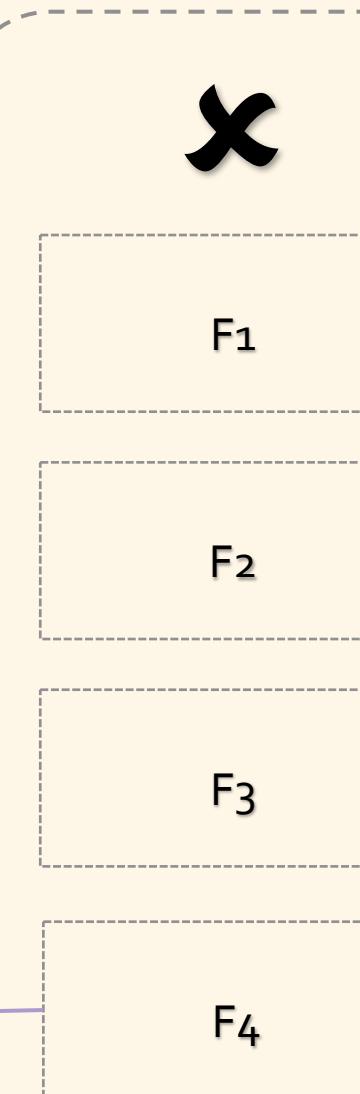


`argv[1]=?`

$\Phi = (f \rightsquigarrow argv[1]) \wedge (FSIZE=10) \wedge (FCNT=4)$



$f \rightsquigarrow ?$



Environment

Modeling at the level of OS calls, not stdlib functions!

- ✓ Short implementation
- ✓ Allows modeling uncommon system failures
- ✓ Trivial test case reproducibility
- ✗ Limited variability of the file system structure

Thank you!

Discussion time!