#### Lecture 27:

Friday, December 6, 2002

#### Outline

• Cost estimation: 16.4

• Recovery using undo logging 17.2

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## **Estimating Sizes**

- · Need size in order to estimate cost
- Example:
  - Cost of partitioned hash-join E1  $\bowtie$  E2 is 3B(E1) + 3B(E2)
  - -B(E1) = T(E1) \* record size/block size
  - -B(E2) = T(E2) \* record size/ block size
  - So, we need to estimate T(E1), T(E2)

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## **Estimating Sizes**

Estimating the size of a projection

- Easy:  $T(\Pi_L(R)) = T(R)$
- This is because a projection doesn't eliminate duplicates

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# **Estimating Sizes**

Estimating the size of a selection

- $S = \sigma_{A=c}(R)$ 
  - T(S) san be anything from 0 to T(R) V(R,A) + 1
  - Mean value: T(S) = T(R)/V(R,A)
- $S = \sigma_{A < c}(R)$ 
  - T(S) can be anything from 0 to T(R)
  - Heuristics: T(S) = T(R)/3

## **Estimating Sizes**

Estimating the size of a natural join,  $R \bowtie_A S$ 

- When the set of A values are disjoint, then  $T(R \bowtie_A S) = 0$
- When A is a key in S and a foreign key in R, then T(R ⋈<sub>A</sub> S) = T(R)
- When A has a unique value, the same in R and S, then T(R ⋈<sub>A</sub> S) = T(R) T(S)

## **Estimating Sizes**

#### Assumptions:

- <u>Containment of values</u>: if V(R,A) <= V(S,A), then the set of A values of R is included in the set of A values of S
  - Note: this indeed holds when A is a foreign key in R, and a key in S
- <u>Preservation of values</u>: for any other attribute B,  $V(R \bowtie_A S, B) = V(R, B)$  (or V(S, B))

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## **Estimating Sizes**

Assume  $V(R,A) \le V(S,A)$ 

- Then each tuple t in R joins some tuple(s) in S
  - How many?
  - On average T(S)/V(S,A)
  - t will contribute T(S)/V(S,A) tuples in  $R\bowtie_A S$
- Hence  $T(R \bowtie_A S) = T(R) T(S) / V(S,A)$

In general:  $T(R \bowtie_A S) = T(R) T(S) / max(V(R,A),V(S,A))$ 

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## **Estimating Sizes**

#### Example:

- T(R) = 10000, T(S) = 20000
- V(R,A) = 100, V(S,A) = 200
- How large is  $R \bowtie_A S$ ?

Answer:  $T(R \bowtie_A S) = 10000 \ 20000/200 = 1M$ 

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## **Estimating Sizes**

Joins on more than one attribute:

•  $T(R \bowtie_{A,B} S) =$ 

T(R) T(S)/(max(V(R,A),V(S,A))\*max(V(R,B),V(S,B)))

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## Histograms

- Statistics on data maintained by the RDBMS
- Makes size estimation much more accurate (hence, cost estimations are more accurate)

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#### Histograms

 $Employee(\underline{ssn}, name, salary, phone)$ 

• Maintain a histogram on salary:

Salary:	020k	20k40k	40k60k	60k80k	80k100k	> 100k
Tuples	200	800	5000	12000	6500	500

• T(Employee) = 25000, but now we know the distribution

### Histograms

Ranks(rankName, salary)

• Estimate the size of Employee  $\bowtie_{Salary}$  Ranks

Employee	020k	20k40k	40k60k	60k80k	80k100k	> 100k
	200	800	5000	12000	6500	500

Ranks	020k	20k40k	40k60k	60k80k	80k100k	> 100k
	0	20	40	90	100	2

## Histograms

V(Employee, Salary) = 200 V(Ranks, Salary) = 250

$$\begin{split} & Employee \bowtie_{Salary} Ranks = \\ & Employee_1 \bowtie_{Salary} Ranks_1 \cup ... \cup Emplyee_6 \bowtie_{Salary} Ranks_6 \end{split}$$

- \* A tuple t in Employee  $_1$  joins with so many tuples in Ranks  $_1$  :  $T(Employee)/T(Employee) * T(Employee)/250 = T_1 \ / \ 250$
- Then T(Employee  $\bowtie_{Salary}$  Ranks) = =  $\Sigma_{i=1.6}$  T<sub>i</sub> T<sub>i</sub> '/250 = (200x8 + 800x20 + 5000x40 +
  - 12000x80 + 6500x100 + 500x2)/250

Recovery

	110001	<u> </u>
	Type of Crash	Prevention
	Wrong data entry	Constraints and Data cleaning
	Disk crashes	Redundancy: e.g. RAID, archive
	Fire, theft, bankruptcy	Buy insurance, Change jobs
Most frequent	System failures: e.g. power	DATABASE RECOVERY

# System Failures

- Each transaction has internal state
- When system crashes, internal state is lost
  - Don't know which parts executed and which didn't
- Remedy: use a **log** 
  - A file that records every single action of the transaction

#### **Transactions**

A transaction = piece of code that must be executed atomically

- · In ad-hoc SOL
  - one command = one transaction
- · In embedded SQL
  - Transaction starts = first SQL command issued
  - Transaction ends =
    - COMMIT
    - ROLLBACK (=abort)

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#### Transactions

- Assumption: the database is composed of <u>elements</u>
  - Usually 1 element = 1 block
  - Can be smaller (=1 record) or larger (=1 relation)
- Assumption: each transaction reads/writes some elements

## Primitive Operations of Transactions

- INPUT(X)
  - read element X to memory buffer
- READ(X,t)
  - copy element X to transaction local variable t
- WRITE(X,t)
  - copy transaction local variable t to element X
- OUTPUT(X)
  - write element X to disk

### Example

READ(A,t); t := t\*2; WRITE(A,t); READ(B,t); t := t\*2; WRITE(B,t)

Action	t	Mem A	Mem B	Disk A	Disk B
INPUT(A)		8		8	8
REAT(A,t)	8	8		8	8
t:=t*2	16	8		8	8
WRITE(A,t)	16	16		8	8
INPUT(B)	16	16	8	8	8
READ(B,t)	8	16	8	8	8
t:=t*2	16	16	8	8	8
WRITE(B,t)	16	16	16	8	8
OUTPUT(A)	16	16	16	16	8
OUTPUT(B)	16	16	16	16	16

## The Log

- An append-only file containing log records
- Note: multiple transactions run concurrently, log records are interleaved
- After a system crash, use log to:
  - Redo some transaction that didn't commit
  - Undo other transactions that didn't commit
- Three kinds of logs: undo, redo, undo/redo

## **Undo Logging**

Log records

- <START T>
  - transaction T has begun
- <COMMIT T>
  - T has committed
- <ABORT T> - T has aborted
- <T,X,v>
  - T has updated element X, and its old value was v

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## **Undo-Logging Rules**

U1: If T modifies X, then  $\langle T, X, v \rangle$  must be written to disk before X is output to disk U2: If T commits, then <COMMIT T> must be written to disk only after all changes by T are output to disk

• Hence: OUTPUTs are done *early*, before the transaction commits

Action	T	Mem A	Mem B	Disk A	Disk B	Log
						<start t=""></start>
REAT(A,t)	8	8		8	8	
t:=t*2	16	8		8	8	
WRITE(A,t)	16	16		8	8	<t,a,8></t,a,8>
READ(B,t)	8	16	8	8	8	
t:=t*2	16	16	8	8	8	
WRITE(B,t)	16	16	16	8	8	<t,b,8></t,b,8>
OUTPUT(A)	16	16	16	16	8	
OUTPUT(B)	16	16	16	16	16	
						<commit t=""></commit>

## Recovery with Undo Log

After system's crash, run recovery manager

- Idea 1. Decide for each transaction T whether it is completed or not
  - <START T>....<COMMIT T>.... = yes
  - <START T>.... <ABORT T>.... = yes
  - <START T>.... = no
- Idea 2. Undo all modifications by incomplete transactions

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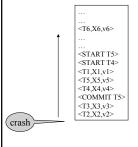
### Recovery with Undo Log

Recovery manager:

- Read log from the end; cases:
  - < COMMIT T>: mark T as completed
  - <ABORT T>: mark T as completed
  - <T,X,v>: if T is not completed then write X=v to disk else ignore
  - <START T>: ignore

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## Recovery with Undo Log



Question1 in class: Which updates are undone?

Question 2 in class: How far back do we need to read in the log?

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## Recovery with Undo Log

- Note: all undo commands are *idempotent* 
  - If we perform them a second time, no harm is done
  - E.g. if there is a system crash during recovery, simply restart recovery from scratch

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### Recovery with Undo Log

When do we stop reading the log?

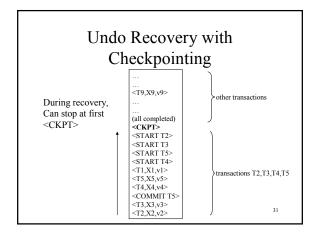
- We cannot stop until we reach the beginning of the log file
- This is impractical
- · Better idea: use checkpointing

#### Checkpointing

Checkpoint the database periodically

- Stop accepting new transactions
- · Wait until all current transactions complete
- · Flush log to disk
- Write a <CKPT> log record, flush
- · Resume transactions

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## Nonquiescent Checkpointing

- Problem with checkpointing: database freezes during checkpoint
- Would like to checkpoint while database is operational
- · Idea: nonquiescent checkpointing

Quiescent = being quiet, still, or at rest; inactive Non-quiescent = allowing transactions to be active

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## Nonquiescent Checkpointing

- Write a <START CKPT(T1,...,Tk)> where T1,...,Tk are all active transactions
- Continue normal operation
- When all of T1,...,Tk have completed, write <END CKPT>

