# CSE 413 Programming Languages & Implementation

Hal Perkins

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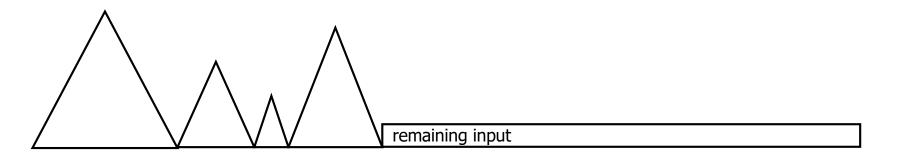
Top-Down and Recursive-Descent Parsing

## Agenda

- Top-Down Parsing
- Predictive Parsers
- LL(k) Grammars
- Recursive Descent
- Grammar Hacking
  - Left recursion removal
  - Factoring

# Basic Parsing Strategies (1)

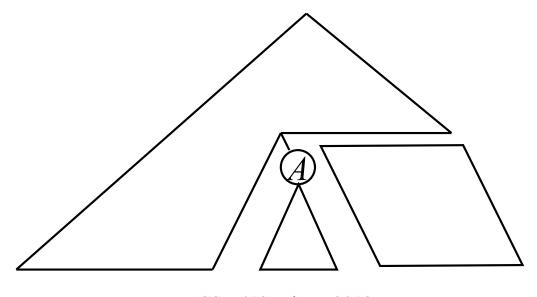
- Bottom-up
  - Build up tree from leaves
    - Shift next input or reduce using a production
    - Accept when all input read and reduced to start symbol of the grammar
  - LR(k) and subsets (SLR(k), LALR(k), ...)



# Basic Parsing Strategies (2)

### Top-Down

- Begin at root with start symbol of grammar
- Repeatedly pick a non-terminal and expand
- Success when expanded tree matches input
- LL(k)



# **Top-Down Parsing**

Situation: have completed part of a leftmost derivation

$$S =>^* wA\alpha =>^* wxy$$

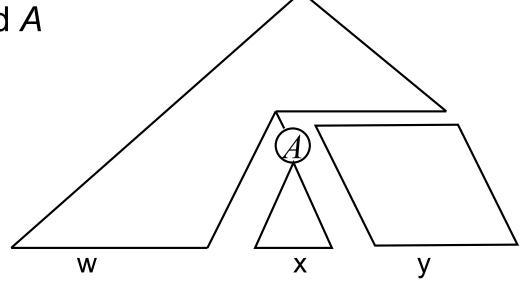
Basic Step: Pick some production

$$A ::= \beta_1 \beta_2 \dots \beta_n$$

that will properly expand A

to match the input

Want this to be deterministic



## **Predictive Parsing**

 If we are located at some non-terminal A, and there are two or more possible productions

$$A ::= \alpha$$
  
 $A ::= \beta$ 

we want to make the correct choice by looking at just the next input symbol

 If we can do this, we can build a predictive parser that can perform a top-down parse without backtracking

## Sounds hard, but ...

- Programming language grammars are often suitable for predictive parsing
- Typical example

```
stmt := id = exp; | return exp; | if (exp) stmt | while (exp) stmt
```

If the remaining unparsed input begins with the tokens

```
IF LPAREN ID(x) ...
```

we should expand stmt to an if-statement

# LL(k) Property

A grammar has the LL(1) property if, for all non-terminals
 A, when there are two productions

$$A ::= \alpha$$

$$A ::= \beta$$

in the grammar, then:

$$FIRST(\alpha) \cap FIRST(\beta) = \emptyset$$

(FIRST( $\alpha$ ) = set of terminals that begin any possible string derived from  $\alpha$ )

- Assumption, neither  $\alpha$  nor  $\beta$  can expand to  $\epsilon$ . There are ways to handle this if it happens, but we will avoid the issue
- If a grammar has the LL(1) property, we can build a predictive parser for it that uses 1-symbol lookahead

## LL(k) Parsers

- An LL(k) parser
  - Scans the input Left to right
  - Constructs a Leftmost derivation
  - Looking ahead at most k symbols
- 1-symbol lookahead is enough for many realistic programming language grammars
  - LL(k) for k>1 is very rare in practice

## LL vs LR (1)

- Table-driven parsers for both LL and LR can be automatically generated by tools
- LL(1) has to make a decision based on a single nonterminal and the next input symbol
- LR(1) can base the decision on the entire left context as well as the next input symbol

## LL vs LR (2)

- ∴ LR(1) is more powerful than LL(1)
  - Includes a larger set of grammars

#### But

- It is easier to write a LL(1) parser by hand
- There are some very good LL parser tools out there (ANTLR, JavaCC, ...)

## Recursive-Descent Parsers

- An advantage of top-down parsing is that it is easy to implement by hand
- Key idea: write a function (procedure, method)
   corresponding to each non-terminal in the grammar
  - Each of these functions is responsible for matching the next part of the input with the nonterminal it recognizes

## Example: Statements

#### Grammar

#### Method for this grammar rule

```
// parse stmt ::= id=exp; | ...
void stmt() {
    switch(nextToken) {
        RETURN: returnStmt(); break;
        IF: ifStmt(); break;
        WHILE: whileStmt(); break;
        ID: assignStmt(); break;
    }
}
```

# Example (cont)

```
// parse while (exp) stmt
                                     // parse return exp;
void whileStmt() {
                                     void returnStmt() {
   // skip "while ("
                                        // skip "return"
   getNextToken();
                                        getNextToken();
   getNextToken();
                                        // parse expression
   // parse condition
                                        exp();
   exp();
                                        // skip ";"
                                        getNextToken();
   // skip ")"
   getNextToken();
   // parse stmt
   stmt();
```

## Invariant for Parser Functions

- The parser functions need to agree on where they are in the input
- Useful (and typical) invariant: When a parser function is called, the current token (next unprocessed piece of the input) is the token that begins the expanded non-terminal being parsed
  - Corollary: when a parser function terminates, it must have completely consumed input corresponding to that non-terminal

## Possible Problems

 Two common problems for recursive-descent (and LL(1)) parsers:

- Left recursion (e.g.,  $E := E + T \mid ...$ )
- Common prefixes on the right hand side of productions

## Left Recursion Problem

Grammar rule

```
expr ::= expr + term
| term
```

Code

```
// parse expr ::= ...
void expr() {
    expr();
    if (current token is PLUS) {
        getNextToken();
        term();
    }
}
```

And the bug is????

## Left Recursion Problem

If we code up a left-recursive rule as-is, we get an infinite recursion

Non-solution: replace with a right-recursive rule

— Why isn't this the right thing to do?

## One Left Recursion Solution

- Rewrite using right recursion and a new nonterminal
- Original: expr ::= expr + term | term
- New:

```
expr ::= term exprtail exprtail ::= + term exprtail | ε
```

- Properties
  - No infinite recursion if coded up directly
  - Maintains left associatively (required)

## Another Way to Look at This

Observe that

```
expr ::= expr + term | term
generates the sequence
term + term + term + ... + term
```

- We can sugar the original rule to match expr ::= term { + term }\*
- This leads directly to parser code
  - But need to fudge things to respect the original precedence/associativity

# Code for Expressions (1)

```
// parse
                                    // parse
                                         term ::= factor { * factor }*
  expr ::= term { + term }*
                                    void term() {
void expr() {
                                       factor();
   term();
                                       while (next symbol is TIMES) {
   while (next symbol is PLUS) {
                                            // consume TIMES
        // consume PLUS
                                            getNextToken();
        getNextToken();
                                            factor();
        term();
```

# Code for Expressions (2)

```
// parse
   factor ::= int | id | ( expr )
                                        case ID:
                                              process identifier;
void factor() {
                                              // consume ID
 switch(nextToken) {
                                              getNextToken();
                                              break;
   case INT:
         process int constant;
                                        case LPAREN:
         // consume INT
                                              // consume LPAREN
         getNextToken();
                                              getNextToken();
         break;
                                              expr();
                                              // consume RPAREN
                                              getNextToken();
```

## Left Factoring

- If two rules for a non-terminal have right-hand sides that begin with the same symbol, we can't predict which one to use
- "Official" solution: Factor the common prefix into a separate production

## Left Factoring Example

Original grammar:

Factored grammar:

```
ifStmt ::= if ( expr ) stmt ifTail
ifTail ::= else stmt | ε
```

# Parsing if Statements

 But it's easiest to just code up the "else matches closest if" rule directly

```
// parse
    if (expr) stmt [else stmt]
void ifStmt() {
   getNextToken();
   getNextToken();
   expr();
   getNextToken();
   stmt();
   if (next symbol is ELSE) {
         getNextToken();
         stmt();
```

## **Top-Down Parsing Concluded**

- Works with a somewhat smaller set of grammars than bottom-up, but can be done for most sensible programming language constructs
- If you need to write a quick-n-dirty parser, recursive descent is often the method of choice