CSE401: Parsing

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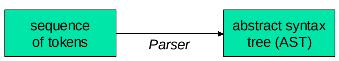
Objectives: parsing lectures

Understand:

- Theory and practice of parsing
- Underlying language theory (CFGs, ...)
- Top-down parsing (and be able to do it)
- Bottom-up parsing (time permitting)

- Today's focus: grammars and ambiguity

Parsing



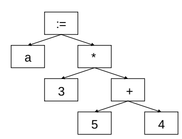
- Abstract Syntax Tree (AST)
  - Captures hierarchical structure of the program
  - Is the primary representation of the program used by the rest of the compiler
    - It gets augmented and annotated, but the basic structure of the AST is used throughout

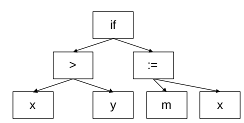
Parsing: two jobs

- Is the program syntactically correct?

```
a := 3 * (5 + 4);     if x > y then m := x;
a := 3 * / 4;         if x < y else m := x;
```

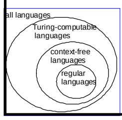
- If so, build the corresponding AST





Context-free grammars (CFGs)

- For lexing, we used regular expressions as the underlying notation
- For parsing, we use context-free grammars in much the same way
  - Regular expressions are not powerful enough
    - Intuitively, can't express balance/nesting (a^nb^n, parens)
  - More general grammars are more powerful than we need
    - Well, we could use more power, but instead we delay some checking to semantic analysis instead of doing all the analysis based on the (general, but slow) grammar



CFG terminology

- *Terminals*: alphabet, or set of legal tokens
- *Nonterminals*: represent abstract syntax units
- *Productions*: rules defining nonterminals in terms of a finite sequence of terminals and nonterminals
- *Start symbol*: root symbol defining the language

```
Program ::= Stmt
Stmt    ::= if Expr then Stmt else Stmt end
Stmt    ::= while Expr do Stmt end
```

EBNF description of PL/0

```
Program      ::= module Id ; Block Id .
Block        ::= DeclList begin StmtList end
DeclList     ::= { Decl ; }
Decl         ::= ConstDecl | ProcDecl | VarDecl
ConstDecl    ::= const ConstDeclItem {, ConstDeclItem }
ConstDeclItem ::= Id : Type = ConstExpr
ConstExpr    ::= Id | Integer
VarDecl      ::= var VarDeclItem { , VarDeclItem }
VarDeclItem  ::= Id : Type
```

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EBNF description of PL/0

```
ProcDecl   ::=
  procedure Id ( [ FormalDecl {, FormalDecl} ] ) ;
              Block Id
FormalDecl ::= Id : Type
Type       ::= int
StmtList   ::= { Stmt ; }
Stmt       ::= CallStmt | AssignStmt | OutStmt |
               IfStmt | WhileStmt
CallStmt   ::= Id ( [ Exprs ] )
AssignStmt ::= Lvalue := Expr
Lvalue     ::= Id
```

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EBNF description of PL/0

```
OutStmt   ::= output := Expr
IfStmt    ::= if Test then StmtList end
WhileStmt ::= while Test do StmtList end
Test      ::= odd Sum | Sum Relop Sum
Relop     ::= <= | <> | < | >= | > | =
Exprs     ::= Expr {, Expr }
Expr      ::= Sum
Sum       ::= Term { (+ | -) Term }
Term      ::= Factor { (* | /) Factor }
Factor    ::= - Factor | LValue | Integer |
              input | ( Expr )
```

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Exercise: produce a syntax tree for squares.0

```
module main;
  var x:int, squareret:int;
  procedure square(n:int);
  begin
    squareret := n * n;
  end square;
begin
  x := input;
  while x <> 0 do
    square(x);
    output := squareret;
    x := input;
  end;
end main.
```

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Derivations and parsing

- Derivation
  - A sequence of expansion steps,
  - Beginning with the start symbol,
  - Leading to a string of terminals
- Parsing: inverse of derivation
  - Given a target string of terminals,
  - Recover nonterminals/productions representing structure

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Parse trees

- We represent derivations and parses as parse trees
- Concrete syntax tree
  - Exact reflection of the grammar
- Abstract syntax tree
  - Simplified version, reflecting key structural information
  - E.g., omit superfluous punctuation & keywords

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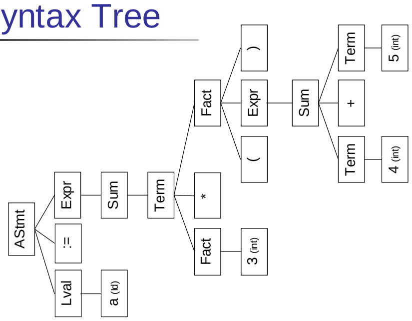
Concrete Syntax Tree

a := 3 *(4+5)



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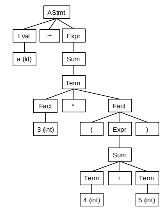
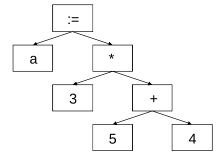
Abstract syntax trees

Concrete syntax tree Abstract syntax tree

a := 3 *(4+5)





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Ex: An expression grammar

```
E  ::= E Op E | - E | ( E ) | int
Op ::= + | - | * | /
```

- Using this grammar, find parse trees for:
  - `3 * 5`
  - `3 + 4 * 5`

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Ambiguity

- Some grammars are *ambiguous*
  - Different parse trees with the same final string
  - (Some *languages* are ambiguous, with no possible non-ambiguous grammar; but we avoid them)
- The structure of the parse tree captures some of the meaning of a program
  - Ambiguity is bad since it implies multiple possible meanings for the same program
- Consider the example on the previous slide

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Another famous ambiguity:
dangling else

```
Stmt  ::= … |
          if Expr then Stmt |
          if Expr then Stmt else Stmt
```

if e1 **then** **if** e2 **then** s1 **else** s2

- To which `then` does the `else` belong?
  - The compiler isn't going to be confused
  - However, if the compiler chooses a meaning different from what the programmer intended, it could get ugly
- Any ideas for overcoming this problem?

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Resolving ambiguity: #1

- Add a meta-rule
  - For instance, "`else` associates with the closest previous unmatched `if`"
- This works and keeps the original grammar intact
- But it's ad hoc and informal

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Resolving ambiguity: #2

- Rewrite the grammar to resolve it explicitly

```
Stmt          ::= MatchedStmt | UnmatchedStmt
MatchedStmt   ::= … |
                  if Expr then MatchedStmt
                          else MatchedStmt
UnmatchedStmt ::= if Expr then Stmt |
                  if Expr then MatchStmt
                          else UnmatchedStmt
```

- Formal, no additional meta-rules
- Somewhat more obscure grammar

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Resolving ambiguity: #2 (cont.)

```
Stmt          ::= MatchedStmt | UnmatchedStmt
MatchedStmt   ::= … |
                  if Expr then MatchedStmt
                          else MatchedStmt
UnmatchedStmt ::= if Expr then Stmt |
                  if Expr then MatchStmt
                          else UnmatchedStmt
```

```
if e1 then if e2 then s1 else s2
```

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Resolving ambiguity: #3

- Redesign the *programming language* to remove the ambiguity

```
Stmt   ::= if Expr then Stmt end |
           if Expr then Stmt else Stmt end
```

- Formal, clear, elegant
- Allows `StmtList` in `then` and `else` branch, without adding `begin/end`
- Extra `end` required for every `if` statement

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What about that expression grammar?

How to resolve its ambiguity?

- Option #1: add meta-rules for precedence and associativity
- Option #2: modify the grammar to explicitly resolve the ambiguity
- Option #3: redefine the language

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Option #1: add meta-rules

- Add meta-rules for precedence and associativity

E ::= E+E | E-E | E*E | E/E | E^E | (E) | -E | …

  - **+,-** < ***,/** < unary **-** < **^** etc.
  - **+,-,*,/** left-associative; **^** right associative
- Simple, intuitive
- But not all parsers can support this
  - yacc does

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Option #2: new BNF

```
E ::= E+T|T
T ::= T*F|F
F ::= id |(E)
```

- Create a nonterminal for each precedence level
- `Expr` is the lowest precedence nonterminal
  - Each nonterminal can be rewritten with higher precedence operator
  - Highest precedence operator includes atomic expressions
- At each precedence level use
  - Left recursion for left-associative operators
  - Right recursion for right-associative operators
  - No recursion for non-associative operators

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Option #2: example

```
E ::= E+T|T
T ::= T*F|F
F ::= id |(E)
```

w + x + y * z

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Option #3: New language

- Require parens
  - E.g., in APL all exprs evaluated left-to-right unless parenthesized
- Forbid parens
  - E.g.: RPN calculators

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Designing a grammar: *on what basis?*

- Accuracy
- Readability, clarity
- Unambiguity
- Limitations of CFGs
- Similarity to desired AST structure
- Ability to be parsed by a particular parsing algorithm
  - Top-down parser => LL(k) grammar
  - Bottom-up parser => LR(k) grammar

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Parsing algorithms

- Given input (sequence of tokens) and grammar, how do we find an AST that represents the structure of the input with respect to that grammar?
- Two basic kinds of algorithms
  - Top-down: expand from grammar's start symbol until a legal program is produced
  - Bottom-up: create sub-trees that are merged into larger sub-trees, finally leading to the start symbol

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Top-down parsing

- Build AST from top (start symbol) to leaves (terminals)
  - Represents a leftmost derivation (e.g., always expand leftmost non-terminal)
- Basic issue: when replacing a non-terminal with a right-hand side (rhs), which rhs should you use?
- Basic solution: Look at next input tokens

```
Stmt   ::= Call | Assign | If
Call   ::= Id
Assign::= Id := Expr
If     ::= if Test then
             Stmts end
If     ::= if Test then
             Stmts else
             Stmts end
```

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Predictive parser

- A top-down parser that can select the correct rhs looking at the next *k* tokens (*lookahead*)
- Efficient
  - No backtracking is needed
  - Linear time to parse
- Implementation
  - Table-driven: pushdown automaton (PDA) — like table-driven FSA plus stack for recursive FSA calls
  - Recursive-descent parser [used in PL/0]
    - Each non-terminal parsed by a procedure
    - Call other procedures to parse sub-non-terminals, recursively

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LL(k), LR(k), …?

- These parsers have generally snazzy names
- The simpler ones look like the ones in the title of this slide
  - The first L means "process tokens left to right"
  - The second letter means "produce a (**R**ight / **L**eft)most derivation"
    - Leftmost => top-down
    - Rightmost => bottom-up
  - The k means "k tokens of lookahead"
- We won't discuss LALR(k), SLR, and lots more parsing algorithms

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LL(k) grammars

- It's easy to construct a predictive parser if a grammar is LL(k)
  - **L**eft-to-right scan on input, **L**eftmost derivation, **k** tokens of lookahead
- Restrictions include
  - Unambiguous
  - No common prefixes of length ≥ k
  - No left recursion
  - … (more details later)…
- Collectively, the restrictions guarantee that, given k input tokens, one can always select the correct rhs to expand

Common prefix

```
S ::= if Test then
          Stmts end |
      if Test then
          Stmts else
          Stmts end |
          …
```

Left recursion

```
E ::= E op E | …
```

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Eliminating common prefixes

- *Left factor* them, creating a new non-terminal for the common prefix and/or different suffixes
- Before
  - ```
    If  ::= if Test then Stmts end |
            if Test then Stmts else Stmts end
    ```
- After
  - ```
    If     ::= if Test then Stmts IfCont
    IfCont ::= end | else Stmts end
    ```
- Grammar is a bit uglier
- Easy to do manually in a recursive-descent parser

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Eliminating left recursion:

- Before

```
E ::= E + T | T
T ::= T * F | F
F ::= id | ( E ) | …
```

- After

```
E     ::= T ECont
ECont ::= + T ECont | ε
T     ::= F TCont
TCont ::= * F TCont | ε
F     ::= id | ( E ) | …
```

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Just add sugar

```
E ::= T { + T }
T ::= F { * F }
F ::= id | ( E ) | …
```

- Sugared form is still pretty readable
- Easy to implement in hand-written recursive descent parser
- Concrete syntax tree is not as close to abstract syntax tree

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LL(1) Parsing Theory

Goal: Formal, rigorous description of those grammars for which "I can figure out how to do a top-down parse by looking ahead just one token", plus corresponding algorithms.

Notation:

T = Set of Terminals (Tokens)

N = Set of Nonterminals

\$ = End-of-file character (T-like, but not in N ∪ T)

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Table-driven predictive parser

- Automatically compute PREDICT table from grammar
- PREDICT(nonterminal,input-symbol)
  - action, e.g. which rhs or error

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Example 1

```
Stmt  ::= 1 if expr then Stmt else Stmt |
          2 while Expr do Stmt |
          3 begin Stmts end
Stmts ::= 4 Stmt ; Stmts | 5 ε
Expr  ::= 6 id
```

	if	then	else	while	do	begin	end	id	;	$
Stmt	1			2		3				
Stmts	4			4		4	5			
Expr								6		

empty = error

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LL(1) Parsing Algorithm

push S$ /* S is start symbol */
while Stack not empty
  X := pop(Stack)
  a := peek at next token /* assume EOF = $ */
  if X is terminal or $
    If X==a, read token a else abort;
  else look at PREDICT(X, a) /* X is nonterminal */
    Empty : abort
    rule $X \to \alpha$: push α
If not at end of input, abort

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Constructing PREDICT: overview

- Compute FIRST set for each rhs
  - All tokens that can appear first in a derivation from that rhs
- In case rhs can be empty, compute FOLLOW set for each non-terminal
  - All tokens that can appear right after that non-terminal in a derivation
- Constructions of FIRST and FOLLOW sets are interdependent
- PREDICT depends on both

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Example 1 (cont.)

	FIRST	FOLLOW
1 S ::= **if** E **then** S **else** S		
2 | **while** E **do** S		
3 | **begin** Ss **end**		
4 Ss ::= S ; Ss		
5 | ε		
6 E ::= **id**		

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FIRST(α) – 1st "token" from α

Definition: For any string α of terminals and non-terminals, FIRST(α) is the set of terminals that begin strings derived from α, together with ε, if α can derive ε. More precisely:

For any $\alpha \in (N \cup T)^*$,
FIRST(α) =
$\{ a \in T \mid \alpha \Rightarrow^* a\beta \text{ for some } \beta \in (N \cup T)^* \} \cup$
$\{\varepsilon, \text{if } \alpha \Rightarrow^* \varepsilon\}$

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Computing FIRST– 4 cases

1. FIRST(ε) = {ε}
2. For all a $\in$ T, FIRST(a) = {a}
3. For all A $\in$ N, repeat until no change

   If there is a rule A $\rightarrow \varepsilon$, add(ε) to FIRST(A)

   For all rules A $\rightarrow Y_1 \ldots Y_k$ add(FIRST(Y_1) - {ε})

   if $\varepsilon \in$ FIRST(Y_1) then add(FIRST(Y_2) - {ε})

   if $\varepsilon \in$ FIRST($Y_1 Y_2$) then add(FIRST(Y_3) - {ε})

   …

   if $\varepsilon \in$ FIRST($Y_1 Y_2 \ldots Y_k$) then add(ε)

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Computing FIRST (Cont.)

4. For all any string $Y_1 \ldots Y_k \in (N \cup T)^*$, similar:

   add(FIRST(Y_1) - {ε})

   if $\varepsilon \in$ FIRST(Y_1) then add(FIRST(Y_2) - {ε})

   if $\varepsilon \in$ FIRST($Y_1 Y_2$) then add(FIRST(Y_3) - {ε})

   …

   if $\varepsilon \in$ FIRST($Y_1 Y_2 \ldots Y_k$) then add(ε)

[Note: defined for all strings; really only care about FIRST(right hand sides).]

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FOLLOW(B) – Next "token" after B

Definition: for any non-terminal B, FOLLOW(B) is the set of terminals that can appear immediately after B in some derivation from the start symbol, together with $, if B can be the end of such a derivation. ($ represents "end of input".) More precisely: For all B $\in$N,

FOLLOW(B) = $\{ a \in (T \cup \{\$\}) \mid S\$ \Rightarrow^* \alpha\, B\, a\, \beta$ for some $\alpha, \beta \in (N \cup T \cup \{\$\})^* \}$

(S is the Start symbol of the grammar.)

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Computing FOLLOW(B)

Add $ to FOLLOW(S)

Repeat until no change

For all rules A $\rightarrow \alpha B \beta$ [i.e. all rules with a B in r.h.s],

Add (FIRST(β) - {ε}) to FOLLOW(B)

If $\varepsilon \in$ FIRST(β) [in particular, if β is empty] then

Add FOLLOW(A) to FOLLOW(B)

Assume for all A that S $\Rightarrow^* \alpha A \beta$ for some $\alpha,\beta \in (N \cup T)^*$, else A irrelevant

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PREDICT – Given lhs, which rhs?

For all rules A $\rightarrow \alpha$

For all a $\in$ FIRST(α) - {ε}

Add(A $\rightarrow \alpha$) to PREDICT(A,a)

If $\varepsilon \in$ FIRST(α) then

For all b $\in$ FOLLOW(A)

Add(A $\rightarrow \alpha$) to PREDICT(A,b)

Defn: G is LL(1) iff every cell has $\leq$ 1 entry

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Properties of LL(1) Grammars

- Clearly, given a conflict-free PREDICT table ($\leq$ 1 entry/cell), the parser will do *something* unique with every input
- Key fact is, if the table is built as above, that something is the *correct* thing
- I.e., the PREDICT table will reliably guide the LL(1) parsing algorithm so that it will
  - Find a derivation for every string in the language
  - Declare an error on every string *not* in the language

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Exercises (1st especially recommended)

- Easy: Pick some grammar with common prefixes, left recursion, and/or ambiguity.
  - Build PREDICT; it *will* have conflicts
- Harder: prove that *every* grammar with ≥1 of those properties will have PREDICT conflicts
- Harder: Find a grammar with none of those features that nevertheless gives conflicts.
  - I.e., absence of those features is necessary but not sufficient for a grammar to be LL(1).
- Harder, for theoryheads: if the table has conflicts, and the parser chooses among them nondeterministically, it will work correctly

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Example 2

Sugared

```
E  ::= T { + T }
T  ::= F { * F }
F  ::= - F | id | ( E )
```

Unsugared

```
E  ::= 1 T E′
E′ ::= 2 + T E′ | 3 ε
T  ::= 4 F T′
T′ ::= 5 * F T′ | 6 ε
F  ::= 7 - F    | 8 id | 9 ( E )
```

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Example 2 (cont.)

	FIRST	FOLLOW
1 E ::= T E′		
2 E′ ::= + T E′		
3 | ε		
4 T ::= F T′		
5 T′ ::= * F T′		
6 | ε		
7 F ::= - F		
8 | id		
9 | (E)		

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Example 2: PREDICT

	id	+	-	*	/	(	)	$
E								
E′								
T								
T′								
F								

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PREDICT and LL(1)

- The PREDICT table has at most one entry in each cell if and only if the grammar is LL(1)
  - ∴ there is only one choice (it's predictive) , making it fast to parse and easy to implement
- Multiple entries in a cell
  - Arise with left recursion, ambiguity, common prefixes, etc.
  - Can patch by hand, if you know what to do
  - Or use more powerful parser (LL(2), or LR(k), or…?)
  - Or change the grammar

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Recursive descent parsers

- Write procedure for each non-terminal
- Each procedure selects the correct right-hand side by peeking at the input tokens
- Then the r.h.s. is consumed
  - If it's a terminal symbol, verify it is next and then advance through the token stream
  - If it's a non-terminal, call corresponding procedure
- Build and return AST representing the r.h.s.

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Recursive descent example

```
Stmt  ::= 1 if expr then Stmt else Stmt |
          2 while Expr do Stmt |
          3 begin Stmts end
Stmts ::= 4 Stmt ; Stmts | 5 ε
Expr  ::= 6 id
```

```
ParseStmt() {
   switch (next token) {
     "begin": ParseStmts();read "end"; break;
     "while": ParseExpr(); read "do"; ParseStmt(); break;
     "if":     ParseExpr(); read "then"; ParseStmt();
               read "else"; ParseStmt(); break;
     default: abort;
   }
}
```

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LL(1) and Recursive Descent

- If the grammar is LL(1), it's easy to build a recursive descent parser
  - One nonterminal/row à one procedure
  - Use 1 token lookahead to decide which rhs
  - Table-driven parser's stack à recursive call stack
- Recursive descent can handle some non-LL(1) features, too.

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Example

LL(1) & recursive descent

	if	then	else	while	do	begin	end	id	;	$
Stmt	1			2		3				
Stmts	4			4		4	5			
Expr								6		

```
Stmt  ::= 1 if expr then Stmt else Stmt |
          2 while Expr do Stmt |
          3 begin Stmts end
Stmts ::= 4 Stmt ; Stmts | 5 ε
Expr  ::= 6 id
```

```
ParseStmt() {
   switch (next token) {
     "begin": ParseStmts();read "end"; break;
     "while": ParseExpr(); read "do"; ParseStmt(); break;
     "if":     ParseExpr(); read "then"; ParseStmt();
               read "else"; ParseStmt(); break;
     default: abort;
   }
}
```

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Example

non-LL(1) & recursive descent

	if	then	else	while	do	begin	end	id	;	$
Stmt	1, 1'			2		3				
Stmts	4			4		4	5			
Expr								6		

```
Stmt  ::= 1  if expr then Stmt |
          1' if expr then Stmt else Stmt |
          2  while Expr do Stmt |
          3  begin Stmts end
Stmts ::= 4  Stmt ; Stmts | 5 ε
Expr  ::= 6  id
```

The dangling else ambiguity

& common prefixes

```
ParseStmt() {
  switch (next token) {
    "if":     ParseExpr(); read "then"; ParseStmt();
              if(next token == "else")
                  {read "else"; ParseStmt();}
              break;
    "begin": ...
  }
}
```

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It's demo time…

- Let's look at some of the PL/0 code to see how the recursive descent parsing works in practice

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<stmt list> ::= { <stmt> ; }
<stmt> ::= <id stmt> | <out stmt>
| <if stmt> | <while stmt>

Parser::ParseStmts()

```
StmtArray* Parser::ParseStmts() {
  StmtArray* stmts = new StmtArray; Stmt* stmt;
  for (;;) {
    Token t = scanner->Peek();
    switch (t->kind()) {
      case IDENT:   stmt = ParseIdentStmt();  break;
      case OUTPUT:  stmt = ParseOutputStmt(); break;
      case IF:      stmt = ParseIfStmt();     break;
      case WHILE:   stmt = ParseWhileStmt();  break;
      default:      return stmts; // no more stmts
    }
    stmts->add(stmt);
    scanner->Read(SEMICOLON);
  }
}
```

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<if stmt> ::= if <test> then <stmt list> end

Parser::ParseIfStmt()

```
Stmt* Parser::ParseIfStmt() {
  scanner->Read(IF);
  Expr* test = ParseTest();
  scanner->Read(THEN);
  StmtArray* stmts = ParseStmts();
  scanner->Read(END);
  return new IfStmt(test, stmts);
}
```

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<while stmt> ::= while <test> do <stmt list> end

Parser::ParseWhileStmt()

```
Stmt* Parser::ParseWhileStmt() {
  scanner->Read(WHILE);
  Expr* test = ParseTest();
  scanner->Read(DO);
  StmtArray* stmts = ParseStmts();
  scanner->Read(END);
  return new WhileStmt(test, stmts);
}
```

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<id stmt> ::= <call stmt> | <assign stmt>
<call stmt> ::= IDENT "(" [<exprs>] ")"
<assign stmt>::= <lvalue> := <expr>
<lvalue> ::= IDENT

Parser:: ParseIdentStmt()

```
Stmt* Parser:: ParseIdentStmt() {
  Token* id = scanner->Read(IDENT);
  if (scanner->CondRead(LPAREN)){
      ExprArray* args;
      if (scanner->CondRead(RPAREN)){
          args = NULL;
      } else {
          args = ParseExprs();
          scanner->Read(RPAREN);
      }
      return new CallStmt(id->ident(), args);
  } else {
      LValue* lvalue = new VarRef(id->ident());
      scanner->Read(GETS);
      return new AssignStmt(lvalue, ParseExpr());
}}
```

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<sum> ::= <term> { (+ | -) <term> }

Parser::ParseSum()

```
Expr* Parser::ParseSum() {

  Expr* expr = ParseTerm();
  for (;;) {
    Token* t = scanner->Peek();
    if (t->kind() == PLUS || t->kind() == MINUS) {
      scanner->Get();   // eat the token
      Expr* expr2 = ParseTerm();
      expr = new BinOp(t->kind(), expr, expr2);
    } else {
      return expr;
    }
  }
}
```

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<term> ::= <factor> { (* | /) <factor> }

Parser::ParseTerm()

```
Expr* Parser::ParseTerm() {

  Expr* expr = ParseFactor();
  for (;;) {
    Token* t = scanner->Peek();
    if (t->kind() == MUL || t->kind() == DIVIDE) {
      scanner->Get();   // eat the token
      Expr* expr2 = ParseFactor();
      expr = new BinOp(t->kind(), expr, expr2);
    } else {
      return expr;
    }
  }
}
```

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Yacc – A bottom-up-parser generator

- "yet another compiler-compiler"
- Input:
  - grammar, possibly augmented with action code
- Output:
  - C code to parse it and perform actions
- LALR(1) parser generator
  - practical bottom-up parser
  - more powerful than LL(1)
- modern updates of yacc
  - yacc++, bison, byacc, …

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Yacc input grammar Example

```
assignstmt:  IDENT GETS expr
             ;
ifstmt:      IF test THEN stmts END
             | IF test THEN stmts ELSE stmts END
             ;
expr:        term
             | expr '+' term
             | expr '-' term
             ;
factor:      '-' factor
             | IDENT
             | INTEGER
             | INPUT
             | '(' expr ')'
             ;
```

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Yacc with actions

```
assignstmt: IDENT GETS expr   { $$ = new AssignStmt($1, $3);}
        ;
ifstmt:  IF be THEN stmts END{ $$ = new IfStmt($2,$4,NULL);}
        | IF be THEN stmts
              ELSE stmts END{ $$ = new IfStmt($2,$4,$6);}
        ;
expr:   term                  { $$ = $1; }
        | expr '+' term       { $$ = new BinOp(PLUS,  $1, $3);}
        | expr '-' term       { $$ = new BinOp(MINUS, $1, $3);}
        ;
factor: '-' factor            { $$ = new UnOp(MINUS, $2); }
        | IDENT               { $$ = new VarRef($1); }
        | INTEGER             { $$ = new IntLiteral($1); }
        | INPUT               { $$ = new InputExpr; }
        | '(' expr ')'        { $$ = $2; }
        ;
```

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Parsing summary

- Discover/impose a useful (hierarchical) structure on flat token sequence
  - Represented by Abstract Syntax Tree
- Validity check syntax of input
  - Could build concrete syntax tree (but don't)
- Many methods available
  - Top-down: LL(1)/recursive descent common for simple, by-hand projects
  - Bottom-up: LR(1)/LALR(1)/SLR(1) common for more complex projects
    - parser generator (e.g., yacc) almost necessary

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Parsing summary – Technical details you should know

- Context-free grammars
  - Definitions
  - Manipulations (algorithmic)
    - Left factor common prefixes
    - Eliminating left recursion
  - Ambiguity & (semi-heuristic) fixes
    - meta-rules (code/ precedence tables)
    - rewrite grammar
    - change language
- Building a table-driven predictive parser
  - LL(1) grammar: definition & common obstacles
  - PREDICT(nonterminal, input symbol)
  - FIRST(RHS)
  - FOLLOW(nonterminal)
- Building a recursive descent parser
  - Including AST

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