## Another Proof By Contradiction

Claim: There are infinitely many primes.
Proof:
Suppose for the sake of contradiction, that there are only finitely many primes. Call them $p_{1}, p_{2}, \ldots, p_{k}$.
Consider the number $q=p_{1} \cdot p_{2} \cdot \cdots \cdot p_{k}+1$
Case 1: $q$ is prime
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Case 2: $q$ is composite

But [] is a contradiction! So there must be infinitely many primes.

